

Areas of Parallelograms & Triangles

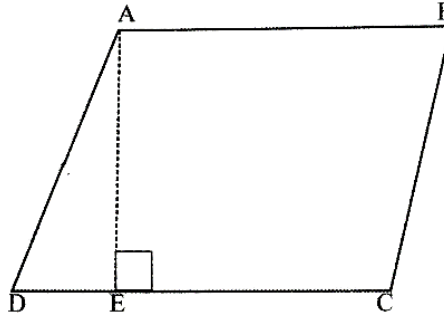
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EXCELLENCE
BOOK

MATHEMATICS

NOTES

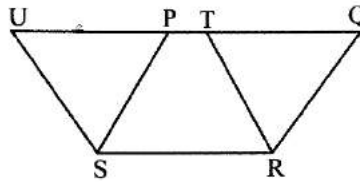
FUNDAMENTALS

- The area of a parallelogram is the product of its base and the corresponding altitude.



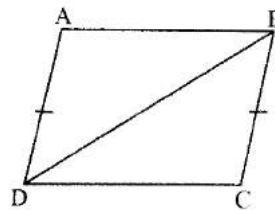
$$\text{Area of parallelogram} = \frac{1}{2} \times CD \times AE$$

- Parallelogram on the same base and between the same parallels are equal in areas.



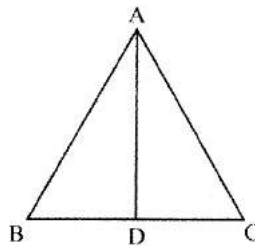
i.e., Area of parallelogram PQRS = Area of Parallelogram SRTU.

- A diagonal of a parallelogram divides it into two triangles of equal areas.



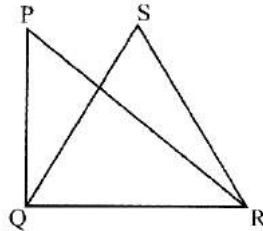
$$\text{Area of } \triangle ABD = \text{Area of } \triangle BCD$$

- The area of a triangle is half the product of any of its side and the corresponding altitude.



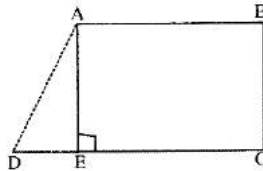
$$\text{Area of } \triangle ABC = \frac{1}{2}(BC \times AD)$$

- Triangles on the same base and between the same parallel lines are equal in area.



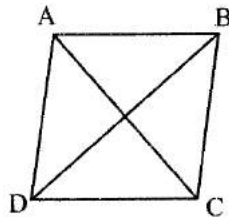
i.e., Area of $\triangle PQR$ = Area of $\triangle QRS$

- The area of trapezium is half the product of its altitude and sum of parallel lines.



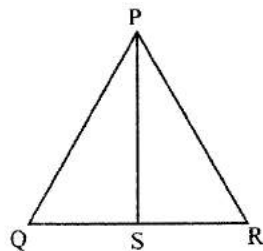
$$\text{Area of trapezium } ABCD = \frac{1}{2}(AB + CD) \times AE$$

- The area of a rhombus is half the product of the lengths of its diagonals.



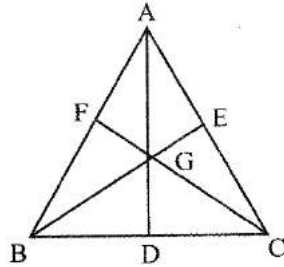
$$\text{Area of Rhombus} = \frac{1}{2} AC \times BD$$

- A median of a triangle divides it into two triangles of equal area.



Area of $\triangle PQS$ = $\triangle PRS$.

- Area of equilateral triangle is equal to $\frac{\sqrt{3}}{4}a^2$, where a is the side of the triangle.
- If the medians of $\triangle ABC$ intersect at G, Then



Area of $\triangle AGB$ = Area of $\triangle BGC$
 = Area of $\triangle AGC$.

- The formula given, by heron about the area of triangle is known as heron's formula. It is stated as Area of triangle = $\sqrt{s(s-a)(s-b)(s-c)}$

Where a, b, c are the sides of the triangle and s is semiperimetre. i.e., half of the perimeter of the triangle = $\frac{a+b+c}{2}$