

## CHAPTER – 14

### Practical Geometry

#### EXERCISE – 14.6

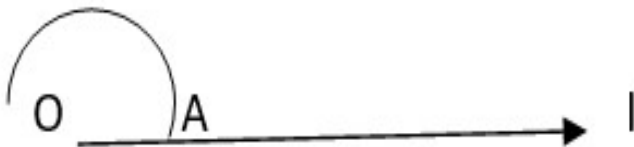
##### Q. 1

Draw  $\angle POQ$  of measure  $75^\circ$  and find its line of symmetry.

Answer:

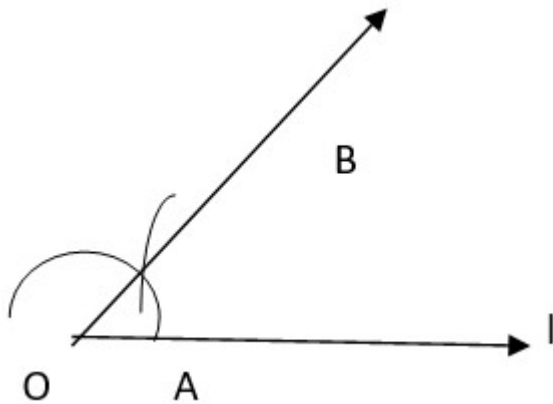
Steps of Construction-

1. Draw a line  $l$  and mark a point  $O$  on it.
2. Place the pointer of the compasses at  $O$  and draw an arc of any radius which intersects the line  $l$  at  $A$ .



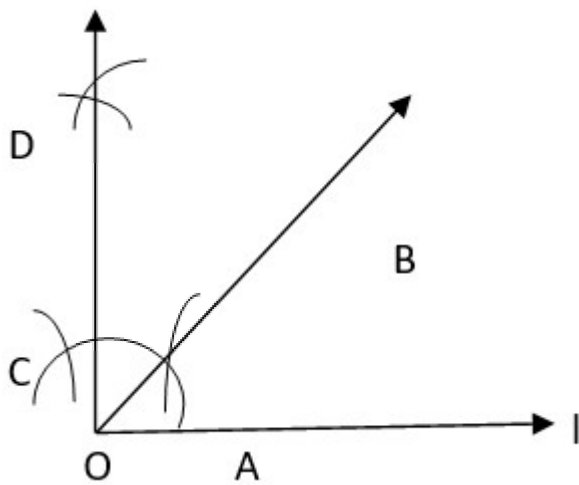
3. Taking same radius, with centre  $A$ , cut the previous arc at  $B$ .

4. Join OB, then  $\angle BOA = 60^\circ$ .



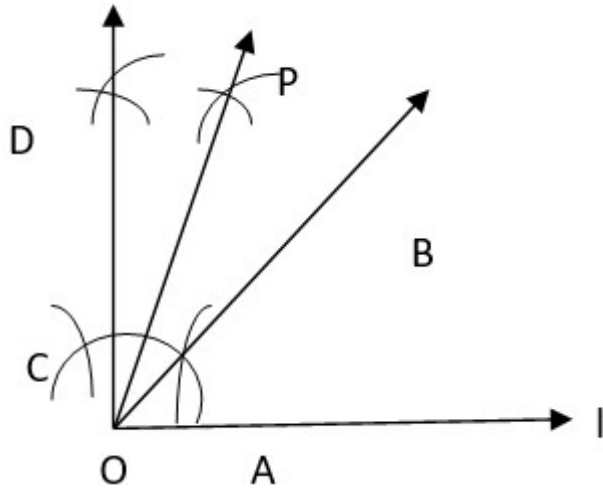
5. Taking same radius, with centre B, cut the previous arc at C.

6. Draw bisector of  $\angle BOC$ . The angle is of  $90^\circ$ . Mark it at D. Thus,  $\angle DOA = 90^\circ$



7. Draw OP as bisector of  $\angle DOB$ .

8. Thus,  $\angle POA = 75^\circ$



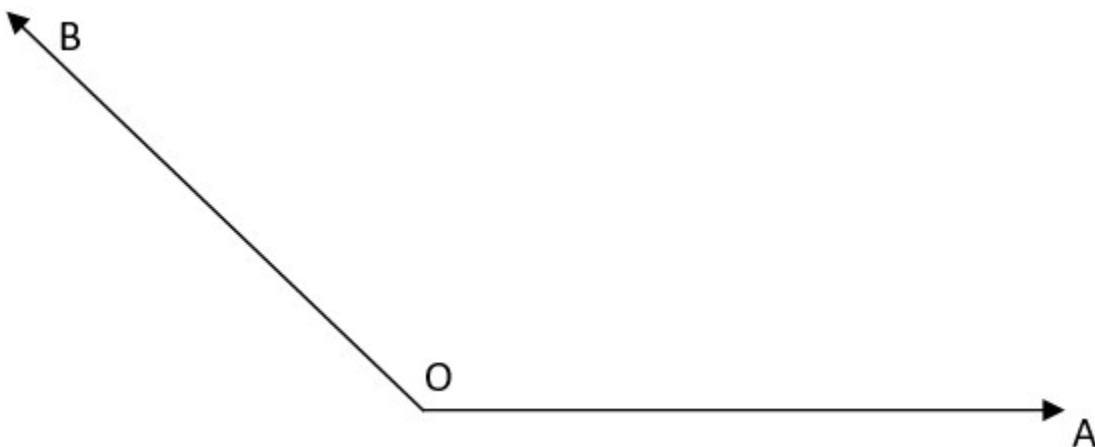
## Q. 2

Draw an angle of measure  $147^\circ$  and construct its bisector.

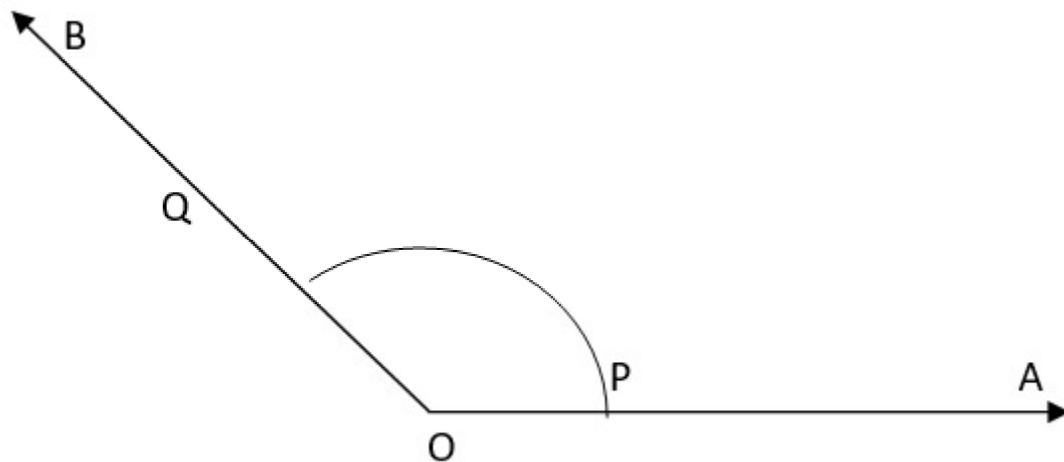
Answer:

Steps of Construction-

1. Draw a ray OA
2. With the help of protractor, construct  $\angle AOB = 147^\circ$



3. Taking centre O and any convenient radius, draw an arc which intersects the arms OA and OB at P and Q respectively.



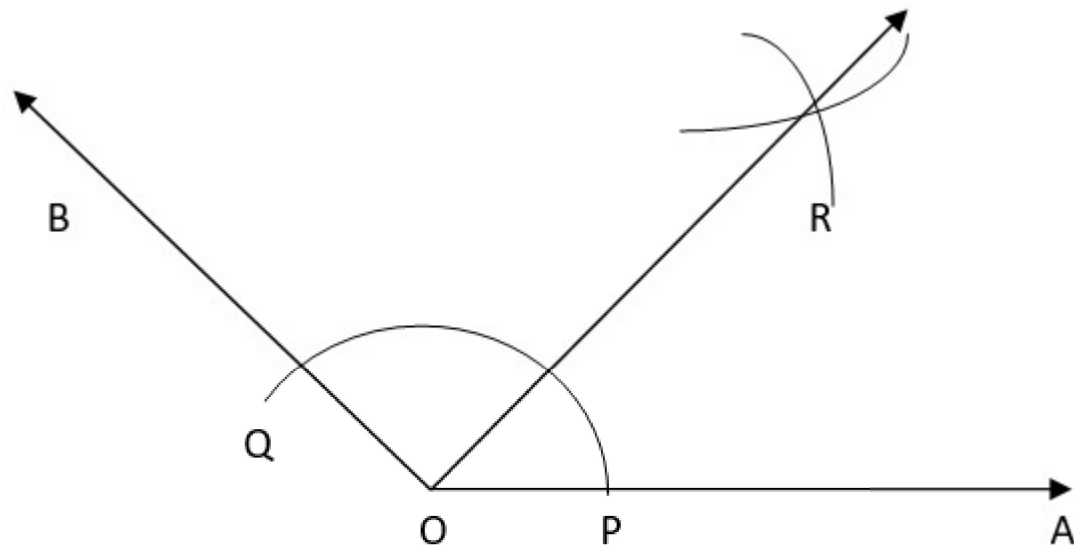
4. Taking P as centre and radius more than half of PQ, draw an arc.

5. Taking Q as centre and with the same radius, draw another arc which intersects the previous at R.

6. Join OR and produce it.

Thus, OR is the required bisector of  $\angle AOB$ .





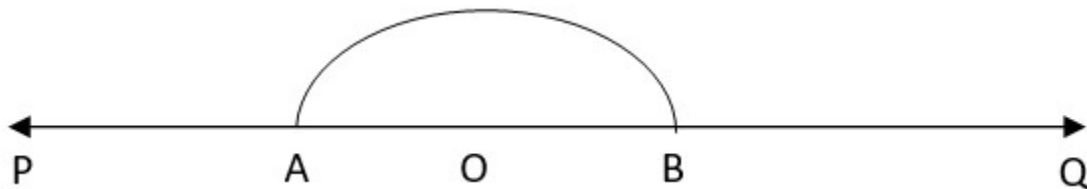
### Q. 3

Draw a right angle and construct its bisector.

Answer:

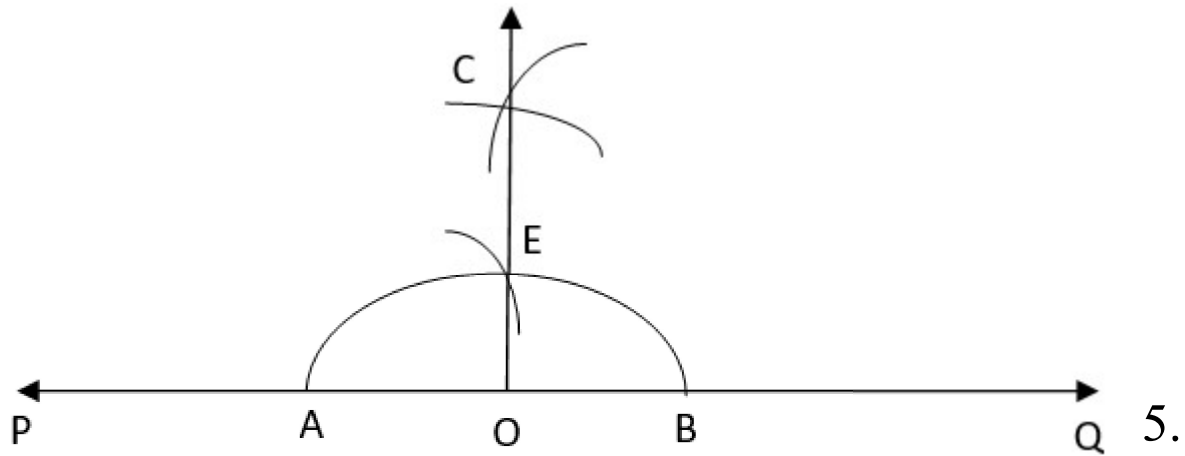
Steps of Construction-

1. Draw a line PQ and take a point O on it.
2. Taking O as centre and convenient radius, draw an arc which intersects PQ at A and B.



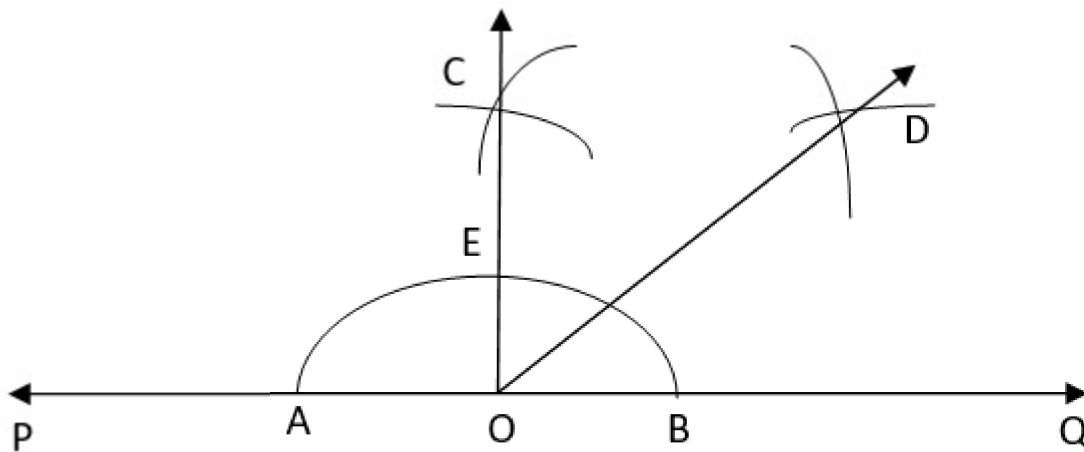
3. Taking A and B as centers and radius more than half of AB, draw two arcs which intersect each other at C.

4. Join OC. Thus,  $\angle COQ$  is the required right angle.



Taking B and E as centre and radius more than half of BE, draw two arcs which intersect each other at the point D.

6. Join OD. Thus, OD is the required bisector of  $\angle COQ$ .



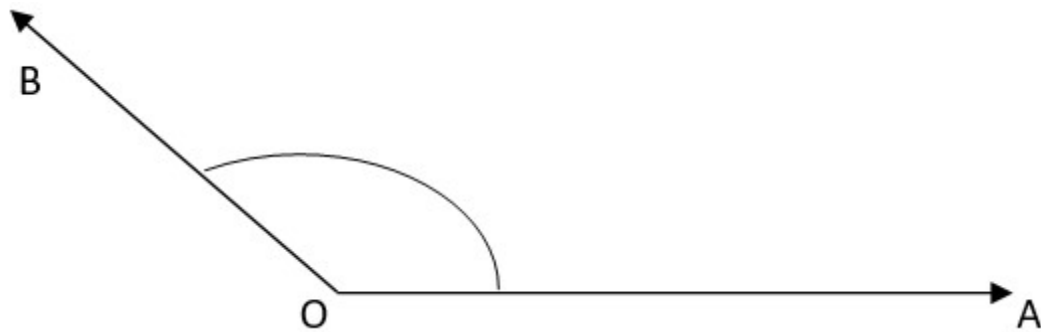
#### Q. 4

Draw an angle of measure  $153^\circ$  and divide it into four equal parts.

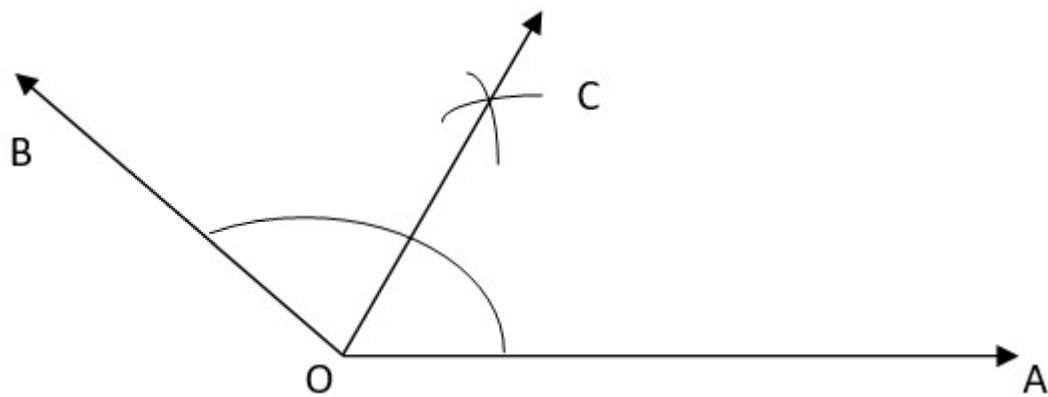
Answer:

Steps of Construction-

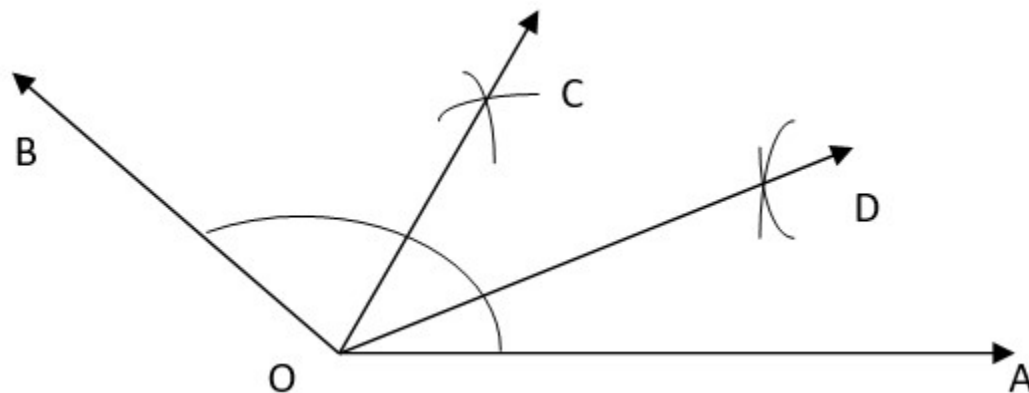
1. Draw a ray OA
2. At O, with the help of a protractor, construct  $\angle AOB = 153^\circ$



3. Draw OC as the bisector of  $\angle AOB$ .

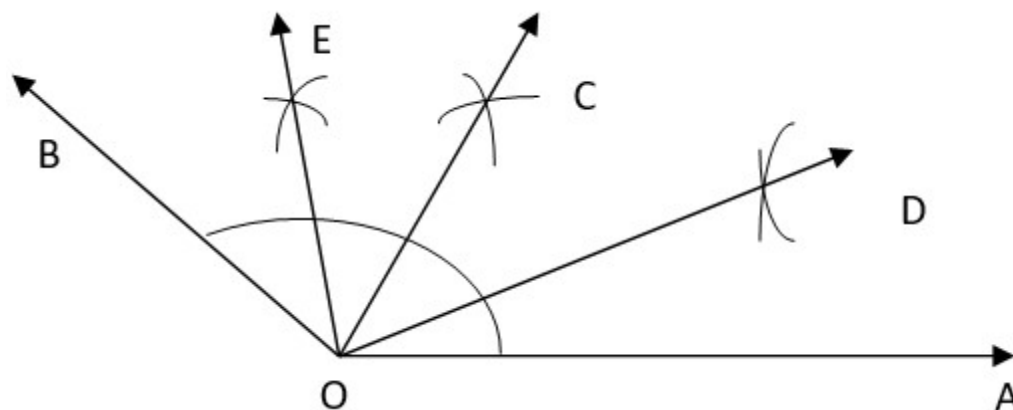


4. Again, draw OD as bisector of  $\angle AOC$ .



5. Again, draw OE as bisector of  $\angle BOC$ .

Thus, OC, OD and OE divide  $\angle AOB$  in four equal.



### Q. 5

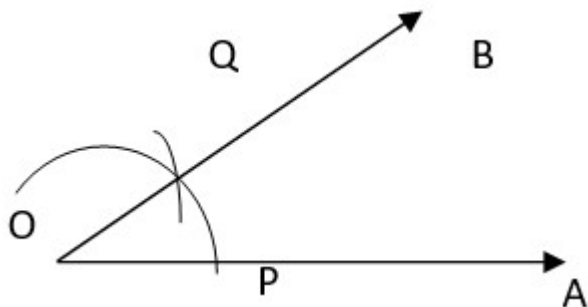
Construct with ruler and compasses, angles of following measures:

- (a)  $60^\circ$  (b)  $30^\circ$
- (c)  $90^\circ$  (d)  $120^\circ$
- (e)  $45^\circ$  (f)  $135^\circ$

Answer:

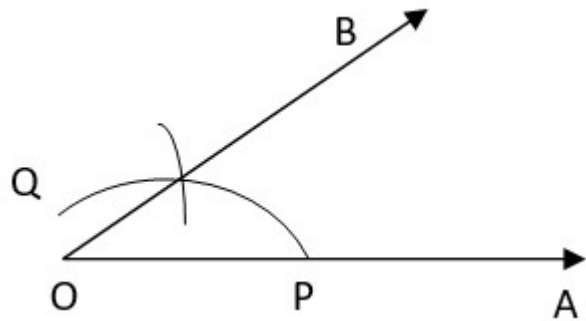
### **(a) Steps of Construction-**

1. Draw a ray OA
2. Taking O as centre and convenient radius, mark an arc, which intersects OA at P.
3. Taking P as centre and same radius, cut previous arc at Q. Join OQ. Thus,  $\angle BOA$  is required angle of  $60^\circ$

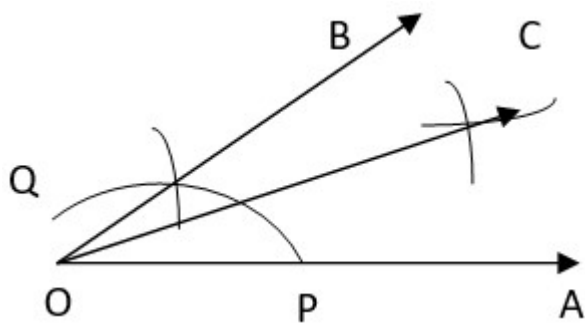


### **(b) Steps of Construction-**

1. Draw a ray OA.
2. Taking O as centre and convenient radius, mark an arc, which intersects OA at P.
3. Taking P as centre and same radius, cut previous arc at Q. Join OQ. Thus,  $\angle BOA$  is required angle of  $60^\circ$ .



4. Put the pointer on P and mark an arc.
5. Put the pointer on Q and with same radius, cut the previous arc at C. Thus,  $\angle COA$  is required angle of  $30^\circ$

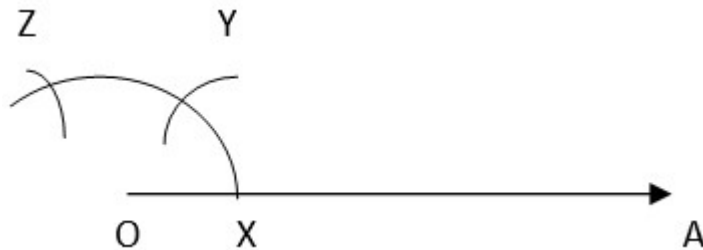


### (c) Steps of Construction-

1. Draw a ray OA
2. Taking O as centre and convenient radius, mark an arc, which intersects OA at X.

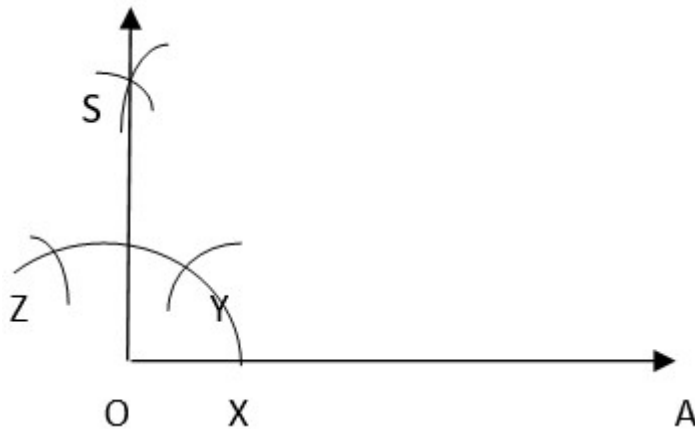


3. Taking X as centre and same radius, cut previous arc at Y. Taking Y as centre and same radius, draw another arc intersecting the same arc at Z.



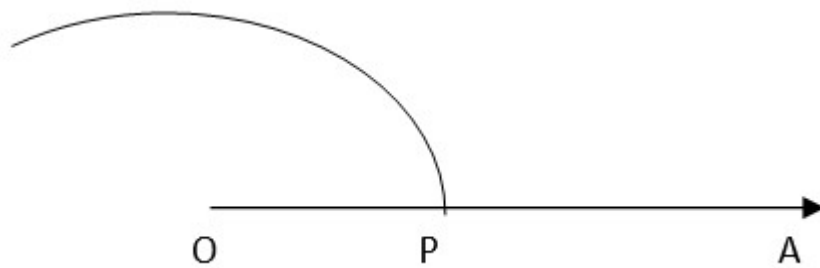
4. Taking Y and Z as centers and same radius, draw two arcs intersecting each other at S.

5. Join OS. Thus,  $\angle SOA$  is required angle of  $90^\circ$



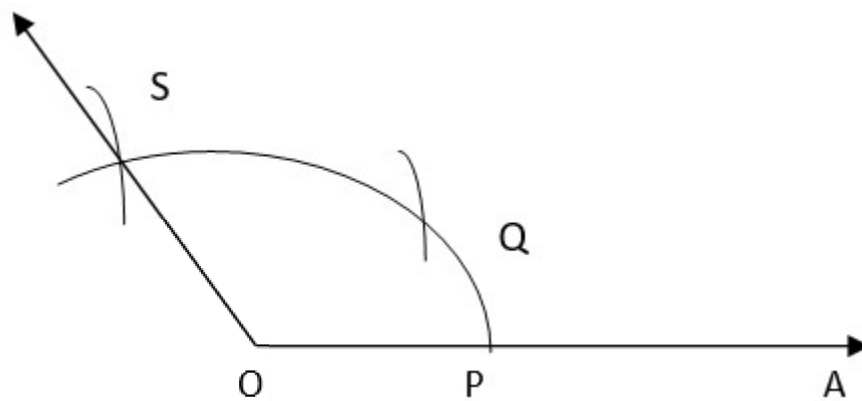
#### **(d) Steps of Construction-**

1. Draw a ray OA
2. Taking O as centre and convenient radius, mark an arc, which intersects OA at P.



3. Taking P as centre and same radius, cut previous arc at Q. Taking Q as centre and same radius cut the arc at S. Join OS.

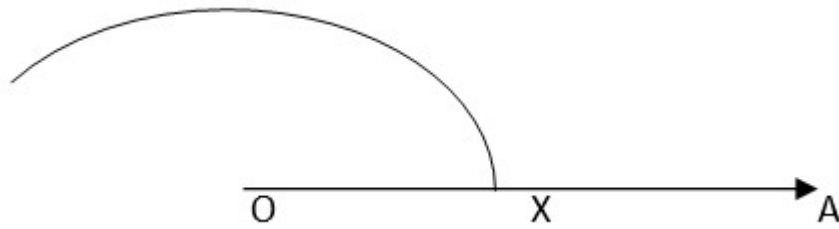
Thus,  $\angle AOS$  is required angle of  $120^\circ$ .



### **(e) Steps of Construction-**

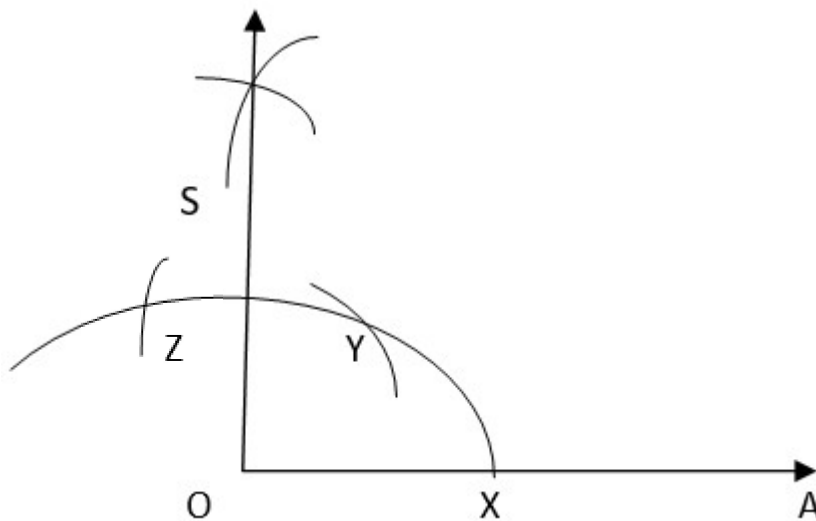
1. Draw a ray OA
2. Taking O as centre and convenient radius, mark an arc, which intersects OA at X.



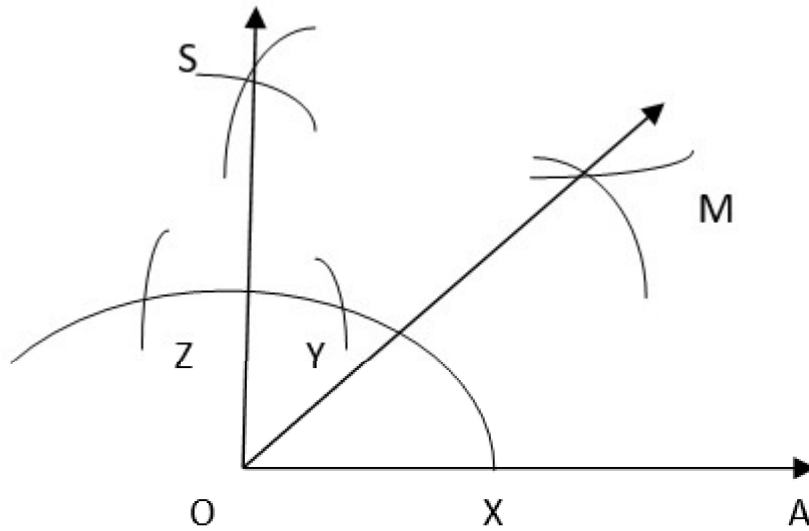


3. Taking X as centre and same radius, cut previous arc at Y. Taking Y as centre and same radius, draw another arc intersecting the same arc at Z.

4. Taking Y and Z as centers and same radius, draw two arcs intersecting each other at S. Join OS. Thus,  $\angle SOA$  is required angle of  $90^\circ$ .

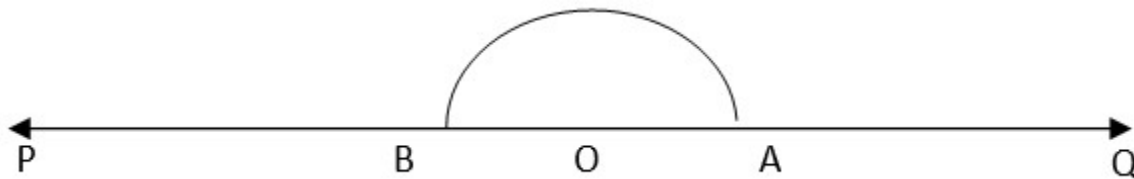


5. Draw the bisector of SOA. Hence,  $\angle MOA = 45^\circ$

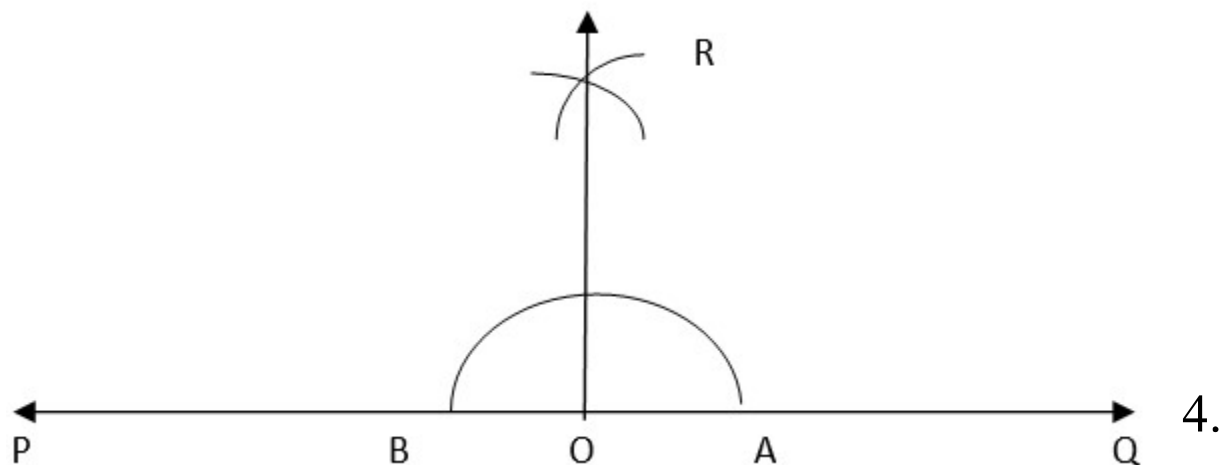


**(f) Steps of Construction-**

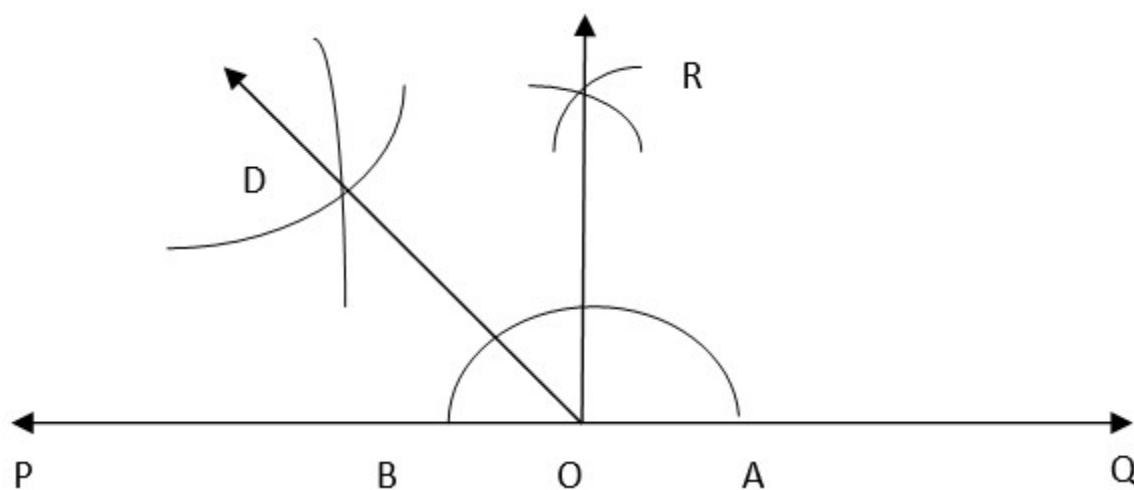
1. Draw a line PQ and take a point O on it.
2. Taking O as centre and convenient radius, mark an arc, which intersects PQ at A and B.



3. Taking A and B as centers and radius more than half of AB, draw two arcs intersecting each other at R. Join OR. Thus,  $\angle QOR = \angle POR = 90^\circ$ .



Draw OD the bisector of  $\angle POR$ . Thus,  $\angle QOD$  is required angle of  $135^\circ$



### Q. 6

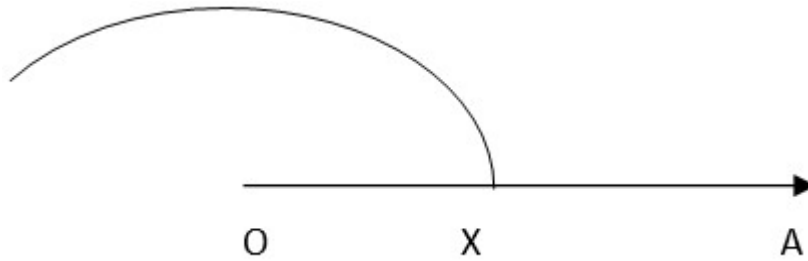
Draw an angle of measure  $45^\circ$  and bisect it.

Answer:

### Steps of Construction-

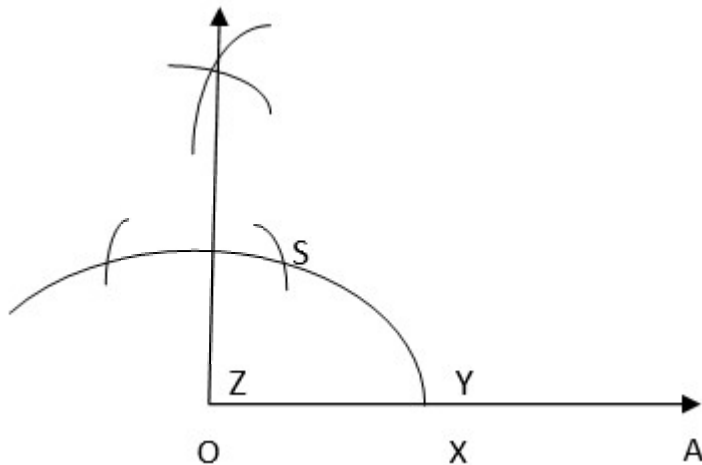
1. Draw a ray OA

2. Taking O as centre and convenient radius, mark an arc, which intersects OA at X.



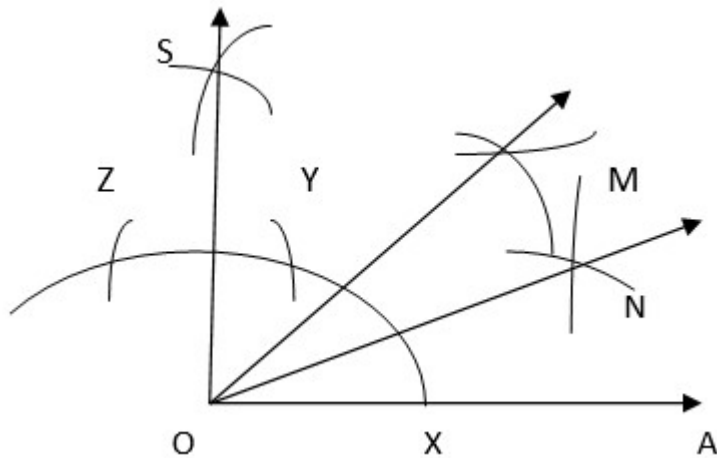
3. Taking X as centre and same radius, cut previous arc at Y. Taking Y as centre and same radius, draw another arc intersecting the same arc at Z.

4. Taking Y and Z as centers and same radius, draw two arcs intersecting each other at S. Join OS. Thus,  $\angle SOA$  is required angle of  $90^\circ$ .



5. Draw the bisector of  $\angle BOA$ . Hence,  $\angle MOA = 45^\circ$

6. Draw the bisector of  $\angle MOA$ . Hence  $\angle NOA = 22\frac{1}{2}^\circ$ ,



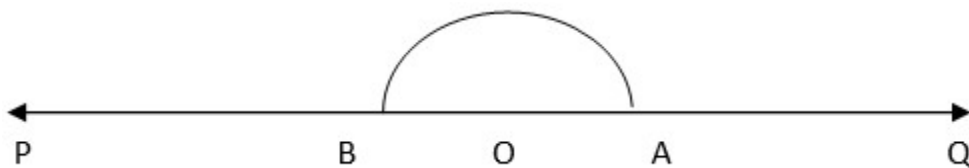
**Q. 7**

**Draw an angle of measure  $135^\circ$  and bisect it.**

Answer:

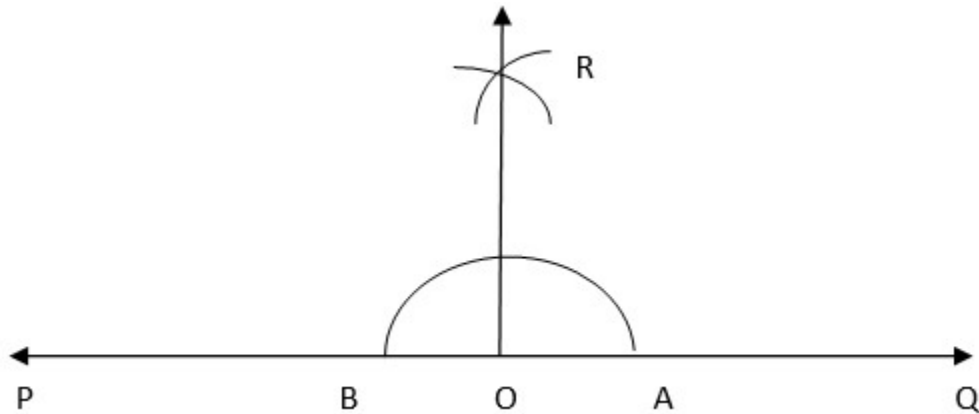
Steps of Construction-

1. Draw a line PQ and take a point O on it.
2. Taking O as centre and convenient radius, mark an arc, which intersects PQ at A and B.

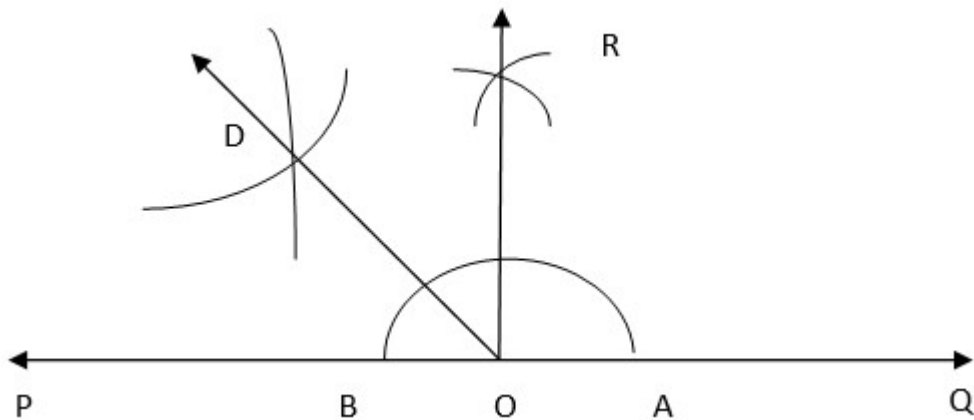


3. Taking A and B as centers and radius more than half of AB, draw two arcs intersecting each other at R.

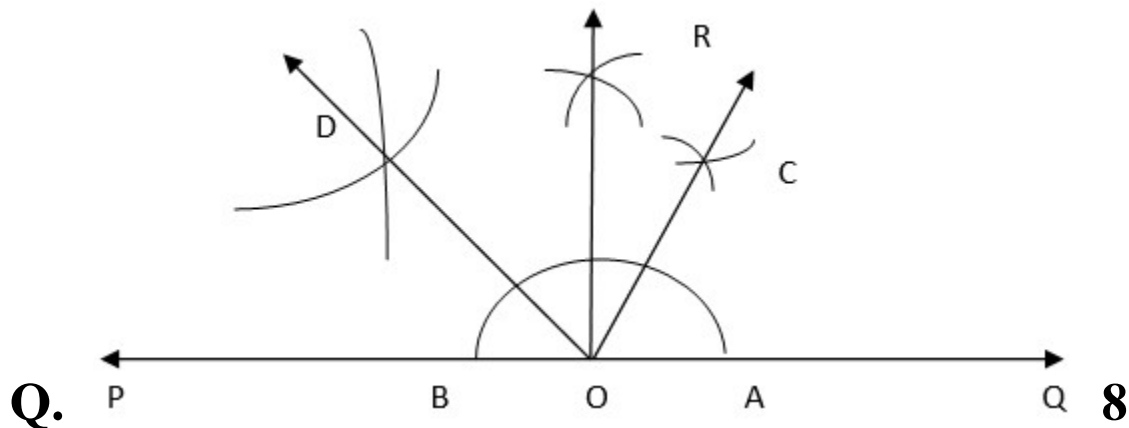
4. Join OR. Thus,  $\angle QOR = \angle POR = 90^\circ$



5. Draw OD the bisector of  $\angle POR$ . Thus,  $\angle QOD$  is required angle of  $135^\circ$



6. Draw the bisector of  $\angle QOD$ . Hence,  $\angle QOC = 67\frac{1}{2}^\circ$

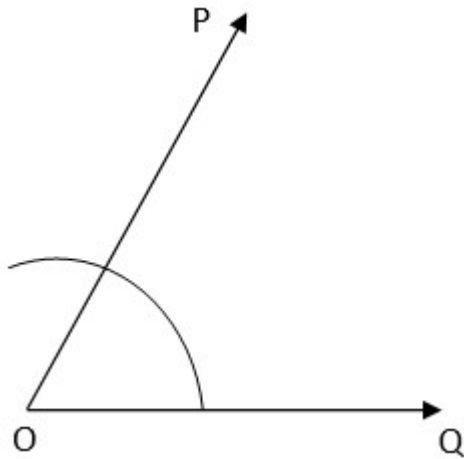


Draw an angle of  $70^\circ$ . Make a copy of it using only a straight edge and compasses.

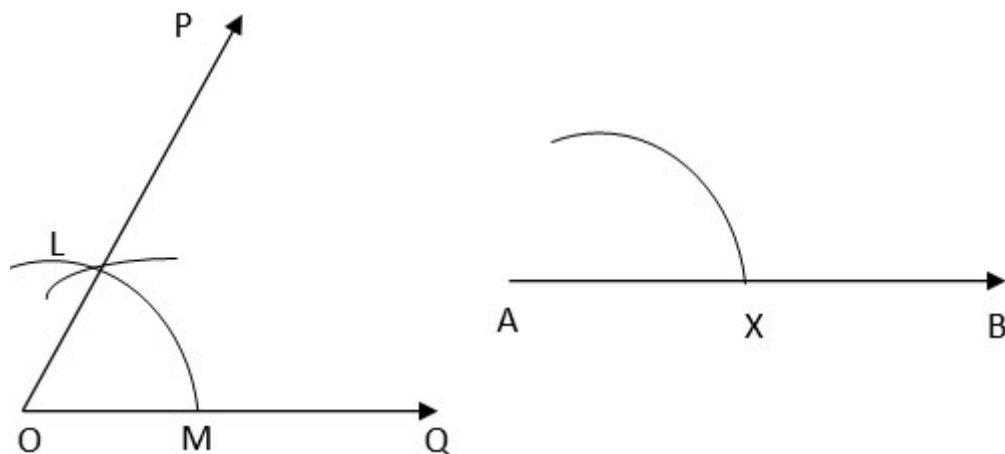
Answer:

Steps of Construction-

1. Draw an angle  $70^\circ$  with protractor, i.e.,  $\angle POQ = 70^\circ$



2. Draw a ray AB
3. Place the compasses at O and draw an arc to cut the rays of  $\angle POQ$  at L and M.
4. Use the same compasses, setting to draw an arc with A as centre, cutting AB at X.

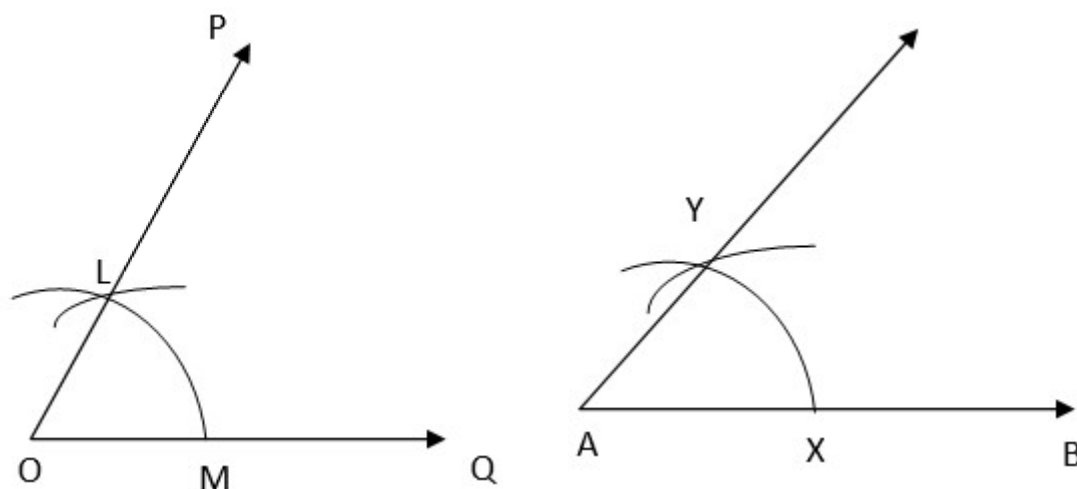


5. Set your compasses setting to the length LM with the same radius.

6. Place the compasses pointer at X and draw the arc to cut the arc drawn earlier at Y.

7. Join AY.

Thus,  $\angle YAX = 70^\circ$





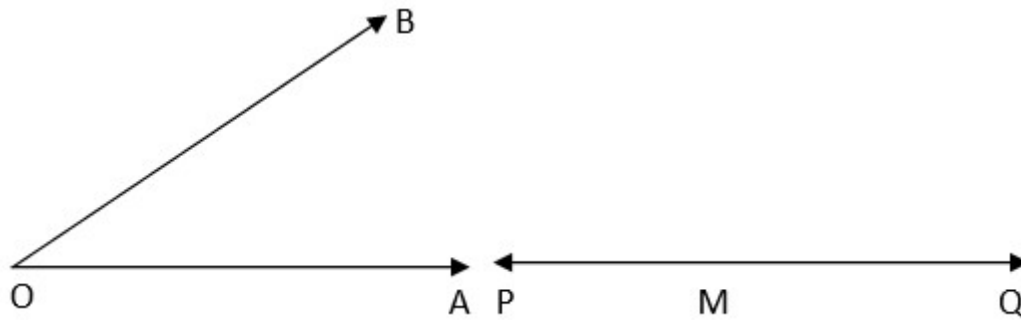
### Q. 9

Draw an angle of  $40^\circ$ . Copy its supplementary angle.

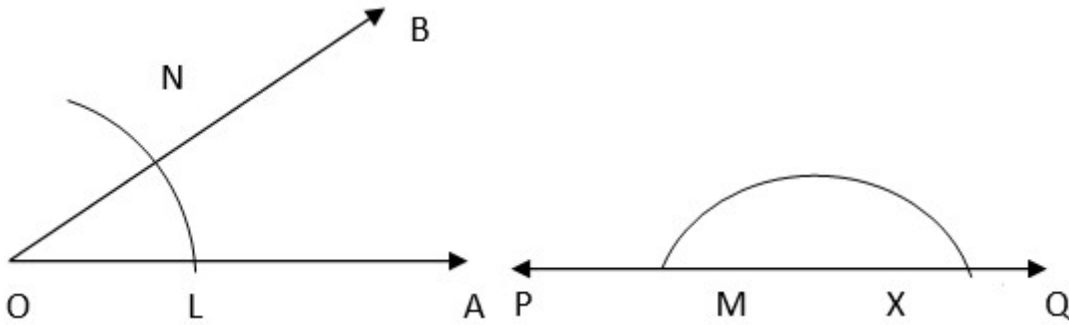
Answer:

Steps of Construction-

1. Draw an angle of  $40^\circ$  with the help of protractor, naming  $\angle AOB$ .
2. Draw a line PQ. Take any point M on PQ.



3. Place the compasses at  $O$  and draw an arc to cut the rays of  $\angle AOB$  at  $L$  and  $N$ .
4. Use the same compasses setting to draw an arc  $O$  as centre, cutting  $MQ$  at  $X$ . Set your compasses to length  $LN$  with the same radius.



5. Place the compasses at X and draw the arc to cut the arc drawn earlier Y. Join MY.

6. Thus,  $\angle QMY = 40^\circ$  and  $\angle PMY$  is supplementary of it.

