	Boolean Algebra + Logic gates
Xo. a	Boolean algebra is an algebraic structure defined on
- X-2 ;	a set of elements togethere with two blodary operators
<u>. (5)</u> (1)	(+) and (.).
5 1	And the second of the second o
, A. 1.	-> A variable B. a symbol for example A used
- D	to represent a logical quantity, whose value
	can be poir 1.
*	
	-> The comprement of a variable is the inverse of
	variable and is represented by an over bare,
	for example A.
L. St	* \$ \$ \$ \$ \$ \$ \$ \$ \$
	-> A literal is a variable on the comprement of variable.
	Closure: For any x and y in the alphabet A, x+y and x.y are also in A.
	n.y are alloin A.
110	for expensive power of the policy destricts
•	Boolean value: The value of Boolean variable can be either
200	and safe, reduced by replace marks a real first
0	Boolean Operators:
	There are 'A' boolean Openatoris -
f says .	and the same of th
· alleni	4) AND () Operator (A.B)
1 277 3	(1) OR (+) Operator (A+B)
3 600	(1) NOT (A/A) Operator.
4:1	(M) XOR, (D) operator (ABB = AB+BA)
3,13	and a compared to the property of
19:00	Operator precedence:
3 1	The operators for evaluating Boolean
Taba.	expression is -
	(1) parsenthesis (11) NOT (111) AND (IV) OR.

	The second of the second of
, •	Duality: If an expression Contains only the operations
	AND OR and NOT. Then the dual of that expression
	is by replacing each AND by OR, each ORby
	AMP, all occurrences of 1' by o' and all
	occurrences of o by 1. principle of Audlity
	is useful in determining the complement of a
	function.
	- JAPA 110.8 (*
-1.	100°C (MAN) 100 (MAN) 100 M 7) 100 7 100 7 100 7
:	logic expression: (ν.γ.ξ)+(ν.γ.ξ')+(γ.ξ)+0
	Dunleh of clare unic oversation is
	Dualety of above rogic expression is:
A.	$(N+y+z) \cdot (N+y+z) \cdot (y+z) \cdot z$
	D. 1 P 19 9
	Boolean function:
C. V. V.	\rightarrow \sim
	-> Any Boolean functions can be from binary.
	variables and the boolean operators . + and
1 5 5 5	(for AND, or and HOT respectively.
	-> force a given value of variable, the function
	can take only one value either 'o' or '4'.
* .,	the state of the s
	-> A Boolean function can be shown by a third
	truth table. The shown of function in a treuth
	attable we need a list of the 2 combinations of

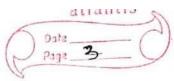
o's and 1's of the 'n binary variables - and a

the function is equal to 1 or 0. so, the table

will have 2n trows and column for each input

Varciable and file final output.

muchini gazani

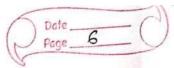


		the state of the s	V			
introduction of	· A function can be specified on represented -					
11/2/16	1 A truth table.	VIA CONT.	1. Add 1.			
	2 A circuit.					
1,42	(3) A Boolean es	(priession)	C+0			
	1 Sop (sum of		9			
. X B	5 Pos (product	of Sum).	94.1.30			
	© Canonical so					
e 1	(7) canonical Po	S	and the second of the second			
	57		·			
	Important Boolean	penations Over b	oclean values =			
\$ P	AND operation	OR Ope	ration			
	0.0=101	1+1=				
1	1.1 = 1.4	0+0=	0			
4	0.1 = 1.0 = 0 $1+0=0+1=1$					
	0' = 1, A 1' = 0					
	Table of come basic	theoriems -				
	1. 1.	1	1			
. 10	[10w/theorem]	Taw of addition	(law of multiplication			
e	A 6 8		N 1 - N			
-	1dentity 1 in	X+0=X	X • 1 = X			
	٦					
	complement law $x+\overline{x}=1$ $x.\overline{x}=0$					
	IN A LAND A LAND					
	Didempotentian X+X=X, X.X=X					
	(ê	AN STATE (STATE AS)				
	Dominant 1000	A X+1=14-A	X.0 = 0			
Ш	Involution law	· (x's=x				
Į.	Commutative 1000	x+y=y+x	$X \cdot Y = Y \cdot X$.			

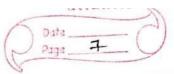
	Date_	A	- (1)
(Page_	9	-)
6			

	Associative 1000	x+(y+z)=(x+y)+z	x.(y:Z)=(x:y)Z
	Distrubutive law	X+YZ=(X+Y)(X+Z)	1 -
	Demorgan's law	$(x+y)'=x'\cdot \gamma'$	$(x \cdot y)' = x' + y'$
	Absorption law	A×+ Xy = X	x(x+y) = x
	Important theorem W	ed in simplefication =	(*)
4.00	-> NOT - Operation	theorem: $\overline{\overline{A}} = A$.	e 1
	-> AND - operation		1 1 2 8
	[3]6	$A \cdot A = A$	
	12 (6)	A. 1 = A	
	L= ((q = 0+))	A.0 = 0	*
	3 = 1	$A \cdot \overline{A} = 0$	d -
	-> or - operation	the arrane.	7 6 1
	OR-OPERATION	A+A =	A
	to the first of the fi		140.00
		A+0 =	and the second s
7	ero ver	A+A=	1
	Distribution theorem		<u> </u>
(3)	_ 7. x	(X) and formal	2 (1× 1, 1)
	A + BC = (A+B)	(Atc)	1
	Note-	in the state of th	- i : C = =
	(A+ AB)-	\rightarrow (A+B)	
0	(A+AB)-	→ (A+B)	
		→ (A+B)	
. X · V	(A+AB)	- (A TB)	Barrier C

	M	Page 5
		Demotgan's theorem:
		V
	Sant.	(A+B+G) = A.B.C
		(A.B.C) = A+B+C
	0	Transposition theorem:
	THE PARTY OF	TATAL CO. CATAL CO.
600	Day.	(A+B)(A+C) = A+BC
2	Dr.	
		Consensus Theorem: This theorem is used to eliminate
	9	redundant term. It is applicable only when it a boolean
	86.81	function contain three variable . Each variable and
·		used to times. only one variable is complemented on
		uncomplemented. Then the related terms so that
		compremented on uncomplemented variable is the
		answer -
		$(1)AB+\overline{B}C+AC=AB+\overline{B}C.$
		(1) AB+B(+AC = AB+BC.
	14	(111) AB+ĀC+BC = AB+ĀC
	B.	(1V) $AB + AC + BC = AB + BC$
e		(intal A HALA) IN
••		(.i+g) (11.81) A + 3 (2*
		I A TO A LETY
		ALTA INTERNAL
		3A+13+55 (6+5) <
		7A1. (A-T) (-
		SHIAH A K-
		75+A <
)		



	3	
	Problems on Boolean algebra	
	Dimplify the following Boolean' expressions to a minimum number of literals = [IFYEL-1] (B) NY: + NY! (B) (N+Y) (N+Y)	m
		tian .
	7 11 = 71	*
- 331 - 3 - 3 - 3	O nyz + ny + ny = (A+B) (A+B)	
n i	> ny (z+z) +ny => (AAB) (A.B) (A.B)	
	=> ny + ny => 0.0 => 0.	
	$= \frac{y(n+\overline{y})}{y(1-\overline{y})}$	-
	[LEVEL-2] . ALL IN A NEW AND AND ADDRESS OF THE PARTY OF	
	() AC+ABC+AC+AB (reduce to two literals)	•
	→ C (Ā+A)+ A (B+BC)	
	$\Rightarrow \overline{C} + A (\overline{B} + B) (\overline{R} + C)$	
	=> T + A (B+4)	
	=> T+AB+AC	
	=>(C+A) (C+C) + AB	
	=> (C+A) + AB	
	=> A (1+B)+C -> A+T.	
	/ H-1(,	
		3



	Page +
	(2) AB (D+cD) + B (A+ACD) > Exceduce to one literals.
	756.77
II.	$\overrightarrow{A}B(\overrightarrow{D}+C)+B(\overrightarrow{A}+CD)$
	⇒ B (AD+AC+A+CD)
3	\Rightarrow B ($\overline{A}\overline{D} + AAC + CD$)
	\Rightarrow B (A+ \overline{p} Ac+cp)
	=> B (A+C+D+C) [E+C=C]
	\Rightarrow B $(A+C+D)$
	=> 13 (A+++++) (Demongan's tow)
Y b	=> B/ (A. E. D).
170	$\overline{q} \cdot \overline{b} = (\overline{a+b})$
	HANDET TULLED AND EVEN EVEN E
*****	E : V = 4
Fig.	· Find the complement -
	ELVER V N
8	$F_{dual} = (N + \overline{Y}) (\overline{N} + Y)$
	$F_{c} = (\overline{n} + y) \cdot (x + \overline{y})$
	72 = (7,7)
	016
E	- 7-,
	$\overline{F} = (\overline{n} \overline{y} + \overline{n} y)$
Unit	$\Rightarrow h\bar{y} \cdot \bar{h}y$
	$=$ $(\overline{h}+y)$ $(x+\overline{y})$
	5 =
	(b) F= (AB+cD) E+E
= (-1 -1	
1 -	$F_{duay} = \{(\overline{A} + B) \cdot ((+D) + \overline{E}\} \cdot E$ $\overline{E \cdot \overline{E}} = 0$
	$F_{com} = \{(A+\overline{B}) \cdot (\overline{C}+\overline{D}) + E\} \overline{E}$ $= (A+\overline{B}) \cdot (\overline{C}+\overline{D}) \cdot \overline{E}$
	= (A+B) (C+D) E
1	

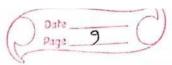
0	(n+)	+ 三)	(x+y)	(H+Z)	
_			-		-

· list the treath table of the function =

$$F = Y + Z$$

tuble-

	И	V	7	F= Y+Z		
	-			V Note	T W = = (/4)	
	0	0	0	0		6
	0	0	1 .	- 1 1 F + A	- B	1
	0	1	0	1	*	Q.
	٥	1	1/2	- ×) (7 + Q)	F	15
	1	0	0	0	and the same of th	
	1	0	1	1		194 .
	1)	0		1 - 4	
	1	1	1	11. 7.	(
•						



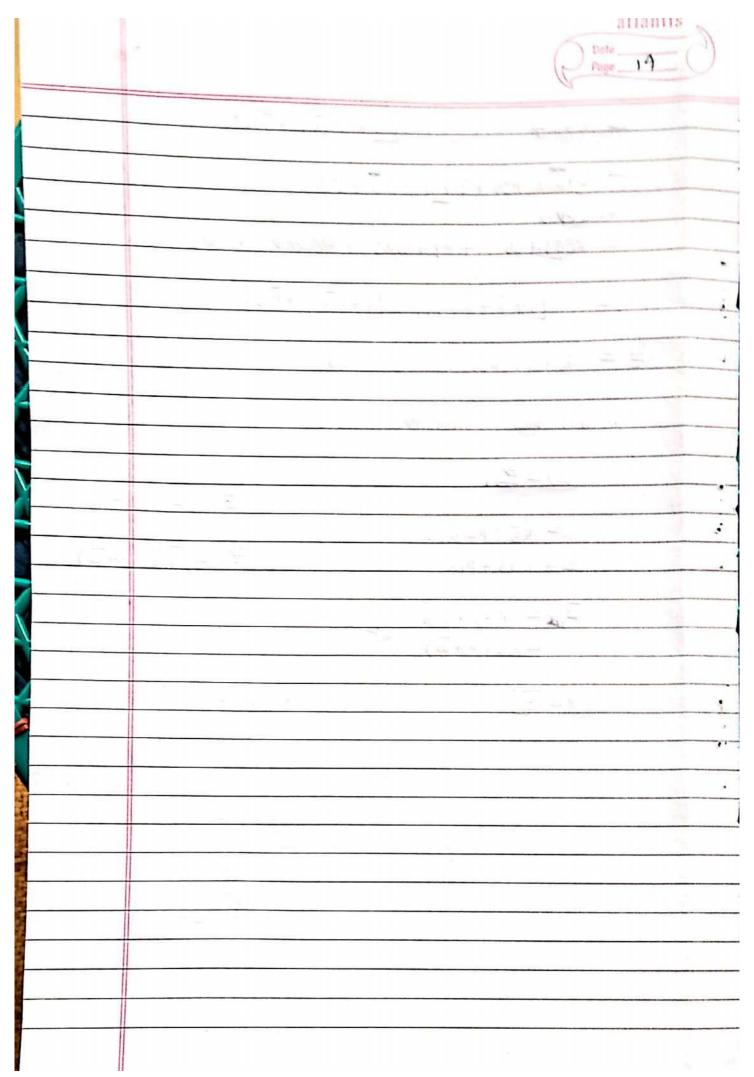
-	(AB + ABC)
	$\Rightarrow f = \overline{(A + \overline{B}L)} (A\overline{B} + ABC)$
	⇒(A·Bc) (A(B+BC))
	\Rightarrow $(\overline{A} (B+\overline{c})) (A (\overline{B}+c))$
	=>(AB+AC) (AB+AC)
	=> 0+0+0+0 => 0.
	(A) D) II D 19 la con l'éterral.
Ž.	B) Reduce the function to one literal. F = (B+Bc) (B+Bc) (B+D)
98	53 A + T + A + K <-
127	f= (B+BC) (B+BC) (B+D)
	=> B (1+c) ((B+B) (B+C)) (B+D)
	=> B(1+c) (B+c) (B+D)
9	=> B (B+1) (B+D)
	\Rightarrow B (B+BD+BC+CD)
	=> B (B+CD)
1	=> B+BCD
La	=> B (1+ CD)
K	=> B ·
	CONTRA STATE OF THE STATE OF TH
F 3	(B) Reduce the Boolean expression -
	TAN TAN LAND LAND LAND
	F= AB+ A(B+C) + B(B+D)
7	=> AB+AB+AC+ BB+RD
	0
	\Rightarrow AB+A(+BD
11	

~	B Reduce the boolean expression -
	F = AR + ART + ART DE.
	$\Rightarrow \overline{A}B (1+\overline{C}+CD+\overline{C}\overline{D}E)$
	$\Rightarrow \overline{A}B \cdot 1$
	$\Rightarrow \overline{A}B$.
	@ Reduce the boolean expression -
	. I V= OIDEVH (K- MADE AND)
	F=AB+AC+ABC(AB+C)
T = 4	
	=> AB+ A+C+O+ABC
	$\Rightarrow \overline{A}+B+\overline{C}+A\overline{B}C$
	=> A+B+C+AB
	$\Rightarrow \overline{A} + B + \overline{C} + A$
	=> 1+B+c (14) (14) (14) (14) (14)
	⇒1. · · · · · · · · · · · · · · · · · · ·
	iden tradent des
	6 Reduce the given boolean ex-
	F= AB+A+AB
	$= \rangle (\overline{AB}) \cdot (\overline{A+AB}) \qquad \overline{A+B} = (\overline{A+B}) \cdot (\overline{A+1})$
0	=> (AB) (A+B)
	\Rightarrow (AB) (AB) $\overline{A+B} = A.\overline{B}$
	= 0 : (11 8) (14 14 14 14 14 14 14 14 14 14 14 14 14 1
	OFFIRE HIALAN -
	X X4.
	Tatarda
1	

	Page 11
	6) If N=1 in the logic function -
()4代)	$\left[x+2\left\{\overline{\gamma}+(\overline{z}+x\overline{\gamma})\right\}\right]\left\{\overline{x}+\overline{z}(x+\gamma)\right\}=1$
9,	(a) $y=Z$ (b) $y=Z$ (c) $z=1$ (d) $z=0$.
<u>.</u>	$\rightarrow \left[1+\frac{1}{2}\left(\overline{y}+(\overline{z}+x\overline{y})\right)\right]\left\{0+\overline{z}(1+\overline{y})\right\}=1$
•	⇒ 1, Z=1 ((1) 対 + 1 (1))
	Z=0
	(8) The boolean expression -
	Y= ABCD + ABCD + ABCD + ABCD treduce to
	(a) $y = \overline{A}BCD$ $\overline{A}BC$ $\overline{A}CD$ (b) $y = \overline{A}BCD$ BCD $ABCD$
	(c) $y = \overline{ABCD} \overline{BCD} A\overline{BCD}$ $y = \overline{ABCD} \overline{BCD} A\overline{BCD}$
. 1	Solu y = ABCD +ABCD +ABCD
- 1	= BID (A+A) + ABID + ABID
	= BCD + ABCD + ABCD.
	Ø ω= R+PQ+RS. X= PBRS+ PORS+ PORS
	$y = RS + PR + P\overline{R} + P\overline{R}$ $Z = R + S + PR + P\overline{R} + P\overline{R} = R + PR + PR = R + P$
	then (a) w=z, x=\(\overline{z}\) = \(\overline{z}\) = \(\overline{z}\) = \(\overline{z}\)
	(c) $W=y$ (d) $W=y=\overline{z}$

	Page 12	/
	W= R+PB+RS	
	= (R+R) (R+S)+PB (A+BC = (A+B) (A+C)	_
	$= R+S+\overline{P}S - (1)$	_
	V	-
	X=PBRS+PBRS	
	= PORS +BRS (P+P)	-
		4
	$= \overline{R}\overline{S} (PS + \overline{S})$	
	$= \overline{RS} (P + \overline{S})$ $= \overline{RCP} + \overline{RCR} \cdot - (1)$	
	$= \overline{RSP} + \overline{RSB} \cdot (1)$	-
	$y = RS + PR + P\bar{8} + P\bar{6}$	
	$= RS + \overline{PR + \overline{PR}}$	
	$= RS + \overline{PR} \ \overline{P8}$	
	$= RS + (\bar{P} + \bar{R}) (\bar{P} + \bar{R})$	
	= RO RS + PB + PR + RB - (11)	
	TON LET TO BE VIEW TO	
	Z= R+S + PB+PQR+PBS	
	- 0.0	3
	$-P(8+8\bar{s})+\bar{p}\bar{s}\bar{p}$	
	= D va =	
	= R+S+ P(B+S)+PBR	*
	= Rts + PB+PS+PBR	(
	= R+s + PB. PS. PBR	
	$= R + (D \cdot D $	*
<u> </u>	= R+S+(P+B) (P+S) (P+B+R)	-
	EURIS (FAB) (FOR REASON)	
	ELLES LE TROLUNG THE THE STATE OF THE STATE	
	$= R + (P + PS + \overline{BP} + \overline{BS}) (P + B + R)$	-
	= R+S+ (P+BP+BS) (1+B+R)	
	(110170)	

	Page 13
	= R+s+ PB+PR+BPR+ PBs+BSR
	$= R+S+\bar{p}S+\bar{p}S+\bar{p}S+\bar{S}S+\bar{S}S$
ø,	= ROTEGEO R+PR+BRS + BOSCHUPS+PBS+PB
	$= R[1+\overline{p}+\overline{8}S] + S[1+\overline{p}S] + \overline{p}S.$
. \$	$Z = R + S + \overline{p} \cdot \underline{\qquad (N)}$
	here, equ (1) and (1V) same equation.
	[w=z],
	X= RS (P+B).
	$Z=R+S+\overline{PQ}$. $Z_{C}=\overline{RS}(P+\overline{B})$
	$\overline{Z}_{\mathbf{K}} = R + S + \overline{P} \otimes $ $= \overline{R} \cdot \overline{S} \cdot (P + \overline{B})$
	X= Z
· .	



•	Logic gates - A logic gate is an idealised of physican device implementing a Boolean function,
	that is it penforms a logical operation
	in one on morre tog logic 1/p and produce
	a single sogie o/p.
	10gic gates can be classified as -
	(1) NOT, AND, OR are bacic gates.
	(1) NAND NOR are universal gates.
	(11) Exor, EXNOR are arelthmetic arcuit or code
	convertor or comparators.
	· Not gate (Inventor):
	$A \longrightarrow 0 \longrightarrow \gamma = \overline{A}$
8	
	table-
h.	
	1/2 0/P A Y=A
	A $Y=\overline{A}$
	· AND gate -
	A —— \
	B - Y = AB
	table- Properties of AND gate-
	ABY
	0 0 o follow Commutative and
	0 1 0 Associative law.
	1 0 0 AB = BA
	ABC = A(BC) = (AC)B,

	1	2	G	-	_	
Ť	<u></u>	7	UT	u	7	-

(OR gate symbol)

Truth table of OR Gate:

[]	outs	output]	
A	В	output y=A+B	
0	0	0	
0	10	4 1	
1	0	1	
1		1	

properties of OR logic-

- (1) commutative law = (A+B) = (B+A).
- (1) Associative law = A+B+c) = (A+B)+(= B+(A+c)

· NAND Grate:

 $A \longrightarrow 0 \longrightarrow y = \overline{AB}$

(NAND gate cymbol)

Truth table of NAMP gate-

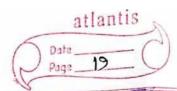
mp	ut	output	-
A	BALLA	Y = AB	
0	0	11	
0	1	Î	
	0	1	
1	1	0	
	A	1mput A B O O O I I O I I	A B $Y = \overline{AB}$

0	Data_ Page_	17	- 0
3/2			

	Page			
properties of NAND gate -				
(2) Associative law: ABC = BA.				
· NOR. gate -	d dienit			
$A \longrightarrow Y = A + B$	X			
(NOR gale Symbol)				
Trouth table of NOR gate -				
A B $y = \overline{A} + B$				
0 0 - 1	•			
 1	1			
- HOR crate follows commutation follows associative law.				
exor Grate:				
$A \longrightarrow Y = A \oplus B$				
(Ex-DR gale Lymbol)				
 lands f				
Truth table of Ex-OR Grate-				
	1 1 1 st			

Page 18

1	ומר	out	output
	A	. В	Y = ADB = AB+AB
4	0	0	0
	0	1	
	1 0	0 -	
	Ĭ		0
	N. Comments	· V	
	propersti	es of Ex-OR	Crate -
	1	ible Imput=0	
		ible input = 1	
	• 1t 1	is called stai	te case switch.
San No.	• Whe	en both input	t are different, they autput
	beno	me high or	logic 1'.
	• Whe	n both Input	+ aire same, then output become
F. F.	1	or logic o'.	
•	1		mequality deturant.
	Note:	$A \oplus A = 0$	S S S S S S S S S S S S S S S S S S S
		$A \oplus A = 1$	
		$A \oplus 0 = A$	
	5 P-110	$A \oplus J = A$	e and commutative both law.
. 1	→ 40110U	/ 17320 QATIVE	who community to only law.
	• Ex-NOR	Crate:	Take
	<u>C</u> <u>A-1.01</u>		- Julia
(4)	A.		- Y= A @ B = AB + AB
	(1)		e symbol).
	+	, (
	Truth a	table of Ex-0	Mar Grate -
4-			
1,4 = 1			



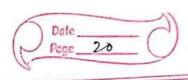
	1201	put	output
4 5	A	B	$y = AOB = AB + \overline{AB}$
	0	0	
	0	1	0
		0	0
	1	1	

properation of expor Gale -

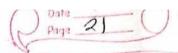
- · Enable Input = 1
- · Disable Input = 0 and
- · when both the input Asame they output become
- become Low or logic &.
- · equality defector.

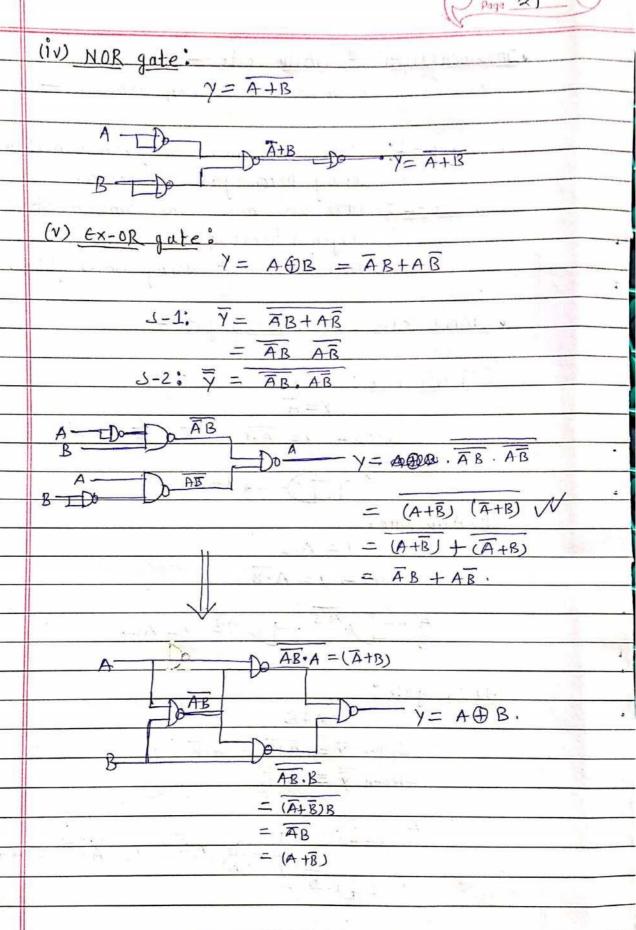
NAND and NOR Grate universal gate -

11				
	10gic gate	Required no. of NAND Grate	Required no. of NOR Gate.	
				4
	NOT	1	en l'alabier e	
	AND	2	3	
	OR	3	2	
	EXOR	4	-x 5	
	EXNOR	ā	4	



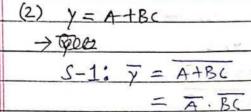
	- 116 9 11.10 0 1
	• Implementation of NAND Grate =
	preoced like to Implement Boolean functions -
	Step-1: take comprement of given function &
	Step - Sale Complement of grant
	apply Demorgan's Theorem.
	Step-2: Take one make time complement to get
	orciginal function.
•	And implement wing NAND gates.
(4)	· NAND crate as universal gate -
	(i) NOT gate:
24	$Y = \overline{A}$
30	NAND \Rightarrow , $\gamma = \overline{A \cdot B} = \overline{A \cdot A} = \overline{A}$
1.00	$A \longrightarrow o \gamma = \overline{A}$
7	(ii) AND gate:
	$\gamma = A \cdot B$
April 1	NAND 5 y = A·B
100	
R	A B AB Y = A·B
	A STATE OF THE STA
- 1	(11) OR gate?
	Y=A+B
74	SHP-1 Y = A+B = A.B
100	Step-11 \(\overline{\bar{y}} = \overline{A.B}
	$A \longrightarrow A \longrightarrow$
	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$
	RIDO
£/'	



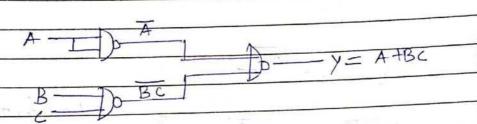


	Page 22
	(VI) Ex-NOR gate:
R	
100	$y = A \odot B$
181	$=AB+\overline{AB}$
	Step-1: $\overline{\gamma} = AB + \overline{AB}$
	$\overline{y} = \overline{AB}, \overline{AB}$
	Step-11: \$\overline{y} = \overline{AB}. \overline{AB}.
•	
	A — O AB
	$y = \overline{AB}.\overline{AB}$
	A = AOB.
1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	B LDO
· 30	Y
	D A. AB
•	A-1
	Y=A@B DO Y=A@B.
	-Do f
	B
318	B, AB
309	5 NAND gave required to implement one propertie.
1 1 1 1 E	
	· Implementation of Boolean functions using only NAND
5	gales -
	$0) \ \gamma = AB + CD$
	Step-1: y = AB+CD
	$=\overline{AB}\cdot\overline{CD}$
	Step-2: \(\overline{\bar{y}} = \overline{AB \cdot \overline{\bar{p}}}:
	SHP-C. 1 - TB.CP.
	$A \longrightarrow AB$ $AB \cdot CD = Y = AB + CD$
	C D CP

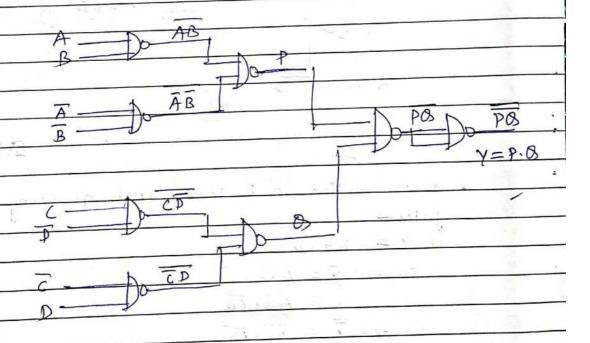


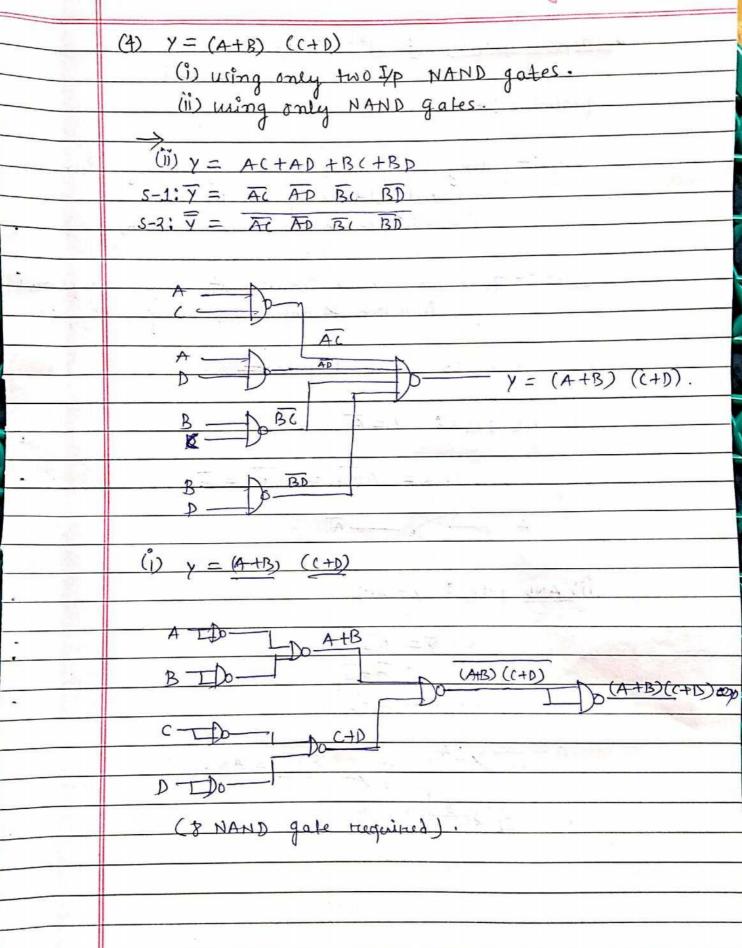


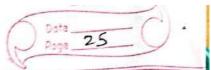
5-2: \(\overline{\bar{y}} = \overline{A} \cdot \overline{BC}



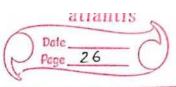
(3)
$$y = (AB + \overline{AB})$$
 ($\overline{CD} + \overline{CD}$). C (complement are available)

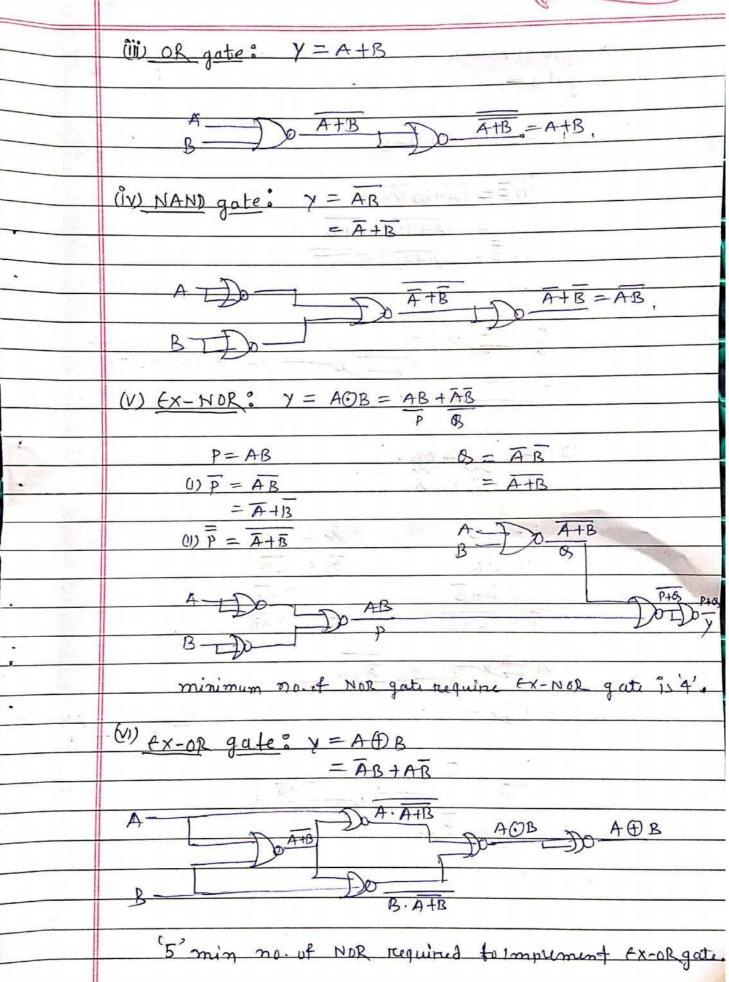




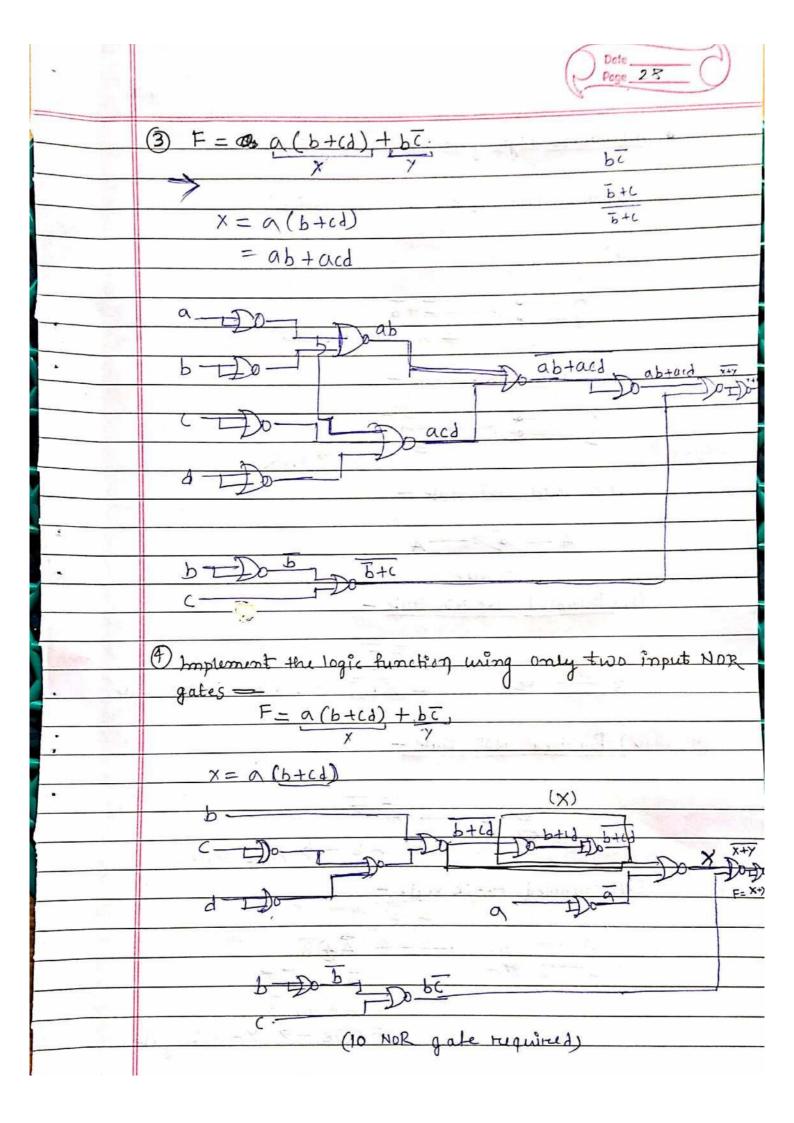


	F1398
	• Implementation of NOR Grate:
	$\gamma = \overline{A+B}$
	firocedue:-
	Step1:- Apply complement for the given logic function
	and apply De-morgan's Theorem. (It it is not In the trequired form)
	(If it is not In the trequired form)
	the interest of the state of th
	Step2: - Take one more complement to get original logic function & implement using NOR gates.
	logic Hunchen = Implement working its
	NOR Grate as universal gate =
. 164.	
	(i) Not gate: Y=A
	1100 AIR - 014 A
	$NOR = \overline{A+B} = \overline{A} + \overline{A} = \overline{A} = \overline{A}$
	A DO A
	AND THE PARTY OF T
	(ii) AND gate : Y = A.R
	$(j) \overline{y} = \overline{AB}$ $= \overline{A} + \overline{B}$
1.5	$(ij) \overline{y} = \overline{A+B}$
	7 7 7 13
	A = AB, $A + B = AB$,
	B



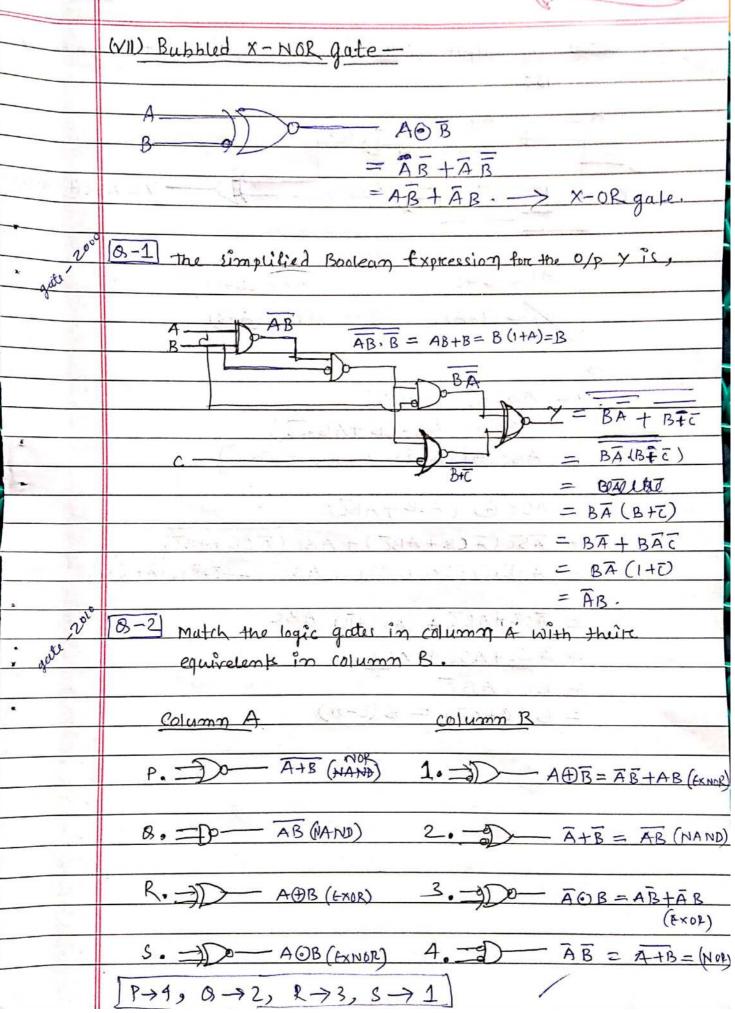


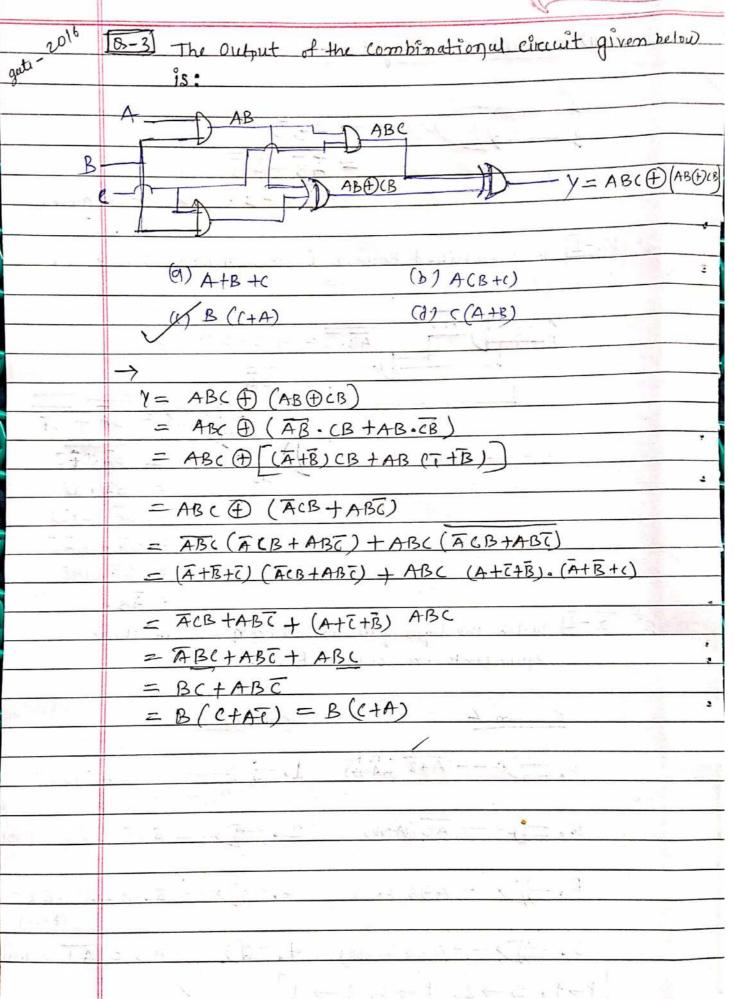
	e Implementation of Boolean function wing only NOR
	gates =
	(1) $F = (A+B)(c+D)$
	i) F = (A+B) (C+D)
	$= \overline{(A+B)+(C+D)}$
	(i) $\overline{F} = \overline{(A+B) + (C+D)}$
	(1) F = (A+13) + ((+0))
2.1	
	A-T
	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$
	(+D).
	p
	(2) F = AB + CD
	P 8
	Ci-m
	P = AB $B = CD$
-10	$\overline{P} = \overline{AB}$ $\overline{O} = \overline{CD}$
	$=\overline{A}+\overline{B}$ $=\overline{C}+\overline{D}$
400	$\overline{P} = \overline{A} + \overline{B}$ $\overline{B} = \overline{C} + \overline{D}$
	A TO A+B
	8 T D D = 1
) = A137(D.
	Q+2 V
	\overline{D}
S1-15	
ily lives	Francisco of Archael March of the party of the Control of the Cont
25	

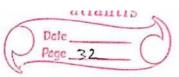


	Alternate logic gate (Bubbled gate):	
	Bubble indicates not operation".	
	(i) Bubbled OR Grate -	
	$A \longrightarrow A + B$ $= AB \longrightarrow NAND$	
	= AB -> NAND	•
	(ii) Bubbled AND Gate -	2
1. 1. 1.	A	
-	$A = AB$ $= (A+B) \rightarrow NOR$	
	= (A+B) -> NOR.	
	(iii) Bubbled NOT Grate -	
	A — • A	*
	(Buffer)	4
	(IV) Bubbled NAND Grake -	
	A O A B	
	B - (A+B) = A+B => OP Grate.	4
tien :		
	(V) Bubbled NOR Gate -	,
et a	$A \longrightarrow \overline{A+B}$	2
	2	
6	= A.B -> AND Grate.	
	(VI) Bubbled Ex-OR Grate -	
		9
	$A \longrightarrow A \longrightarrow A \longrightarrow B$	
	B—————————————————————————————————————	
	$=AB+\overline{AB}$	
	= AOB -> X-NOR gate.	
	Tiok gate.	









2/90	(B-4) (1.11 = + + + + + + + + + + + + + + + + + +
chart	8-4 Check given gate are universal or not -
Val.	$F = \overline{x} + y$
47	
	-> If a gate are universal, then we can Implement
	NOT, AND, BR, NAND, NOR.
, de	
	NOT
-	X = X
- 6	× 9 × Dittoy
	$\overline{y} - \overline{y} / \overline{y} / \overline{y} = \overline{x} \overline{y}$
	(01/12) x - 3) 19) xy.
3	VOR Y-9
J.	0
	x = 9
4	y
12 3	so, given gate ane universal gate.
	So, given gare and aniversial gare.
gest-	5 B-51 To 11 Prov. Cl 1 1 0/2 C 1 1
gue	
	y = AB + ED. The gate by and be -
2	A N A
• 🖔	B B GI
2	
•	$\frac{\overline{C+D=CD}}{C+D=CD}$
70.5	
- 27	(d) AND, NAND (1) NAND, OR (d) AND, NAND
54	
4	
	AB = A.B
	\$\frac{1}{2} \frac{1}{2} \frac

