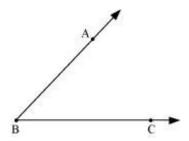
2. Angles

• **Angle:** An angle is made up of two rays starting from a common end point.



In this figure, rays \overline{BA} and \overline{BC} have one common end point, that is, B. The rays \overline{BA} and \overline{BC} are called the arms or sides of the angle. The common end point B is the vertex of the angle. We can name the above angle as $\angle ABC$ or $\angle CBA$.

• One complete turn of the hand of a clock is one revolution. The angle of one revolution is called a **complete angle.**



• A right angle is $(\frac{1}{4})^{th}$ of a revolution and a straight angle is $(\frac{1}{2})^{th}$ of a revolution.

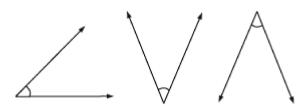




Straight angle

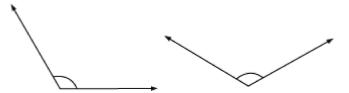
- 1 complete angle = 2 straight angles = 4 right angles
- 1 straight angle = 2 right angles
- If an angle measures less than a right angle then it is known as an **acute angle**.

The following angles are acute:



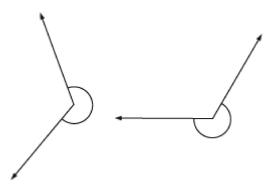
• If an angle measures more than a right angle but less than a straight angle, then it is an **obtuse angle**.

The following angles are obtuse:

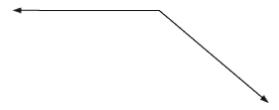


• If an angle measures more than a straight angle, then it is known as a reflex angle.

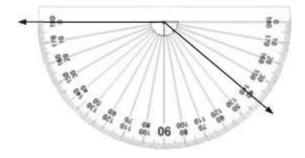
The following angles are reflex:



- We use a protractor to measure an angle.
- One complete revolution is divided into 360 equal parts. Each part is called a **degree.** Thus, the unit of angle is degree (°).
- Right angle measures 90°, complete angle measures 360°, and straight angle measures 180°.
- Acute angle is less than 90°, obtuse angle is more than 90° but less than 180°, and reflex angle is more than 180° but less then 360°.
- We can measure the given angle using a protractor as follows:



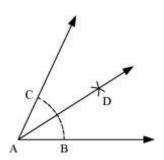
We overlap the protractor with the given angle by coinciding the midpoint of the protractor with the vertex of the angle in such a way that the straight edges of the protractor coincide with the arm of the given angle.



It is seen that the measure of the given angle is 140°.

• Steps of construction for the bisector of a given angle (say 60°):

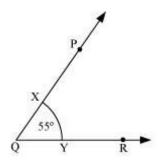
- 1. Draw $\angle A$ such that $\angle A = 60^{\circ}$
- 2. With A as the centre, draw an arc that cuts both the rays of ∠A at B and C.
- 3. With B and C as centres and radius more than $\frac{1}{2}$ BC, draw two arcs that intersect each other at D.
- 4. Join AD. AD is the bisector of $\angle A$.

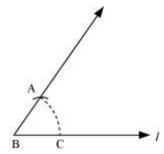


• Steps for the construction of copy of a given angle:

Given $\angle PQR = 55^{\circ}$.

- 1. Draw a line *l* and mark a point B on it.
- 2. Place the compass at Q and draw an arc to cut the rays QP and QR at points X and Y respectively.
- 3. Use the same compass setting to draw an arc with B as the centre, cutting *l* at C.
- 4. Set your compass to length XY.
- 5. Place the compass pointer at C and draw the arc (with the same setting) that cuts the arc drawn earlier at A.
- 6. Join B with A and extend it.





Now,
$$\angle ABC = \angle PQR = 55^{\circ}$$