

To Measure the Dimensions of a Given Regular Body of Known Mass Using a Vernier Callipers and Hence Find its Density

Aim

To measure the dimensions of a given regular body of known mass using a Vernier Callipers and hence find its density.

Apparatus

Vernier callipers, a small rectangular metallic block or glass slab of known mass, magnifying lens.

Theory

(i) For measuring dimensions. Same as in Experiment 1 A.

(ii) For volume

Volume of a rectangular block = Length x Breadth x Thickness (height)

Density= Mass/Volume

i.e., $\rho = m/V$

Diagram

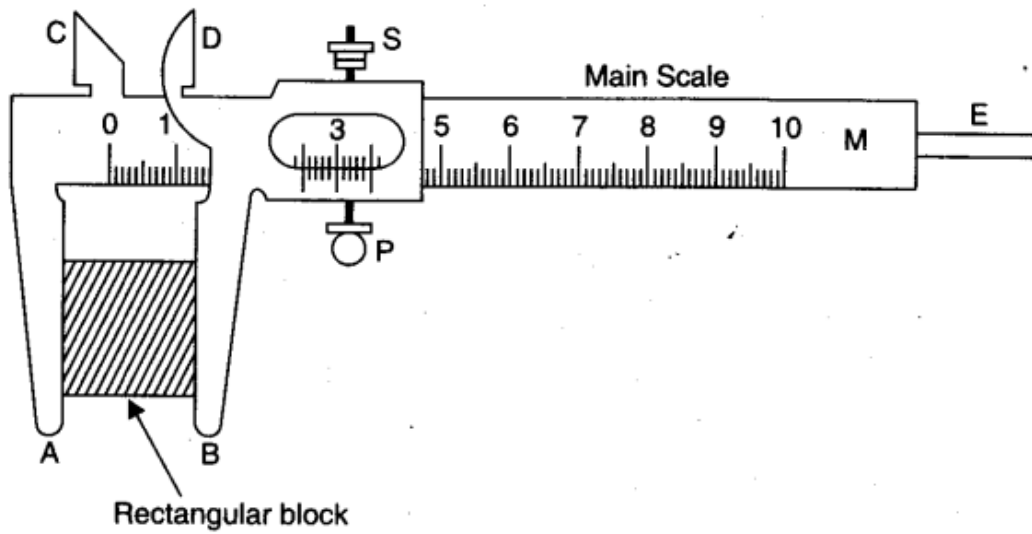


Fig. Vernier callipers—Measuring dimensions of a rectangular metallic block.

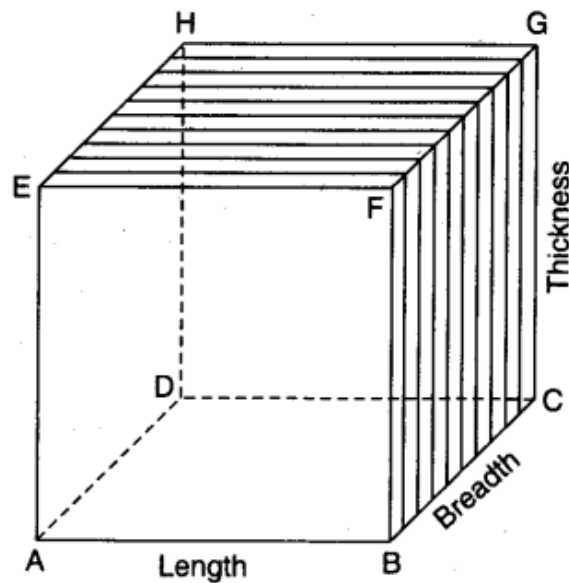


Fig. Rectangular metallic block.

Procedure

1. Proceed in similar manner as in steps 1 to 5 in Experiment 1A.
2. Repeat above steps for the other edge of same face of same dimension.
3. Repeat above steps for other face of same dimension.
4. Repeat steps 1, 2 and 3 above for both edges of both faces of other dimensions.

- Record your observations in tabular form.
- Make calculations for each dimension applying zero correction.
- Take mean of different values of same dimension.
- Multiply the three mean dimensions to obtain volume of the block.
- Calculate the density of the block material by dividing its known mass by obtained volume.

Observations

- Known mass of the block, $m = \dots\dots\dots\text{g}$.
- Determination of Vernier Constant (Least Count) of the Vernier Callipers
 $1 \text{ M.S.D.} = 1 \text{ mm}$ $10 \text{ V.S.D.} = 9 \text{ M.S.D.}$
 $\therefore 1 \text{ V.S.D.} = 9/10 \text{ M.S.D.} = 0.9 \text{ mm}$
Vernier constant, $\text{V.C.} = 1 \text{ M.S.D.} - 1 \text{ V.S.D.} = (1 - 0.9) \text{ mm} = 0.1 \text{ mm} = 0.01 \text{ cm}$
- Zero error = (i).....cm, (ii)..... cm, (iii).....cm.
Mean zero error (e) =..... cm
Mean zero correction (c) = $-e = \dots\dots\dots\text{cm}$.
- Table for the length (l)

Serial No. of Obs.	Side	Main Scale Reading (N) (cm)	Vernier Scale Reading		Total Reading	
			No. of Vernier division coinciding (n)	Value $[n \times (\text{V.C.})]$	Observed $l_0 = N + n \times (\text{V.C.})$	Corrected $l = l_0 + c$
1.	AB					$l_1 =$
2.	EF					$l_2 =$
3.	CD					$l_3 =$
4.	GH					$l_4 =$

- Table for the breadth (b)

Serial No. of Obs.	Side	Main Scale Reading (N) (cm)	Vernier Scale Reading		Total Reading	
			No. of Vernier division coinciding (n)	Value $[n \times (\text{V.C.})]$	Observed $b_0 = N + n \times (\text{V.C.})$	Corrected $b = b_0 + c$
1.	BC					$b_1 =$
2.	FG					$b_2 =$
3.	DA					$b_3 =$
4.	HE					$b_4 =$

6. Table for the thickness (t)

Serial No. of Obs.	Side	Main Scale Reading (N) (cm)	Vernier Scale Reading		Total Reading	
			No. of Vernier division coinciding (n)	Value [n × (V.C.)]	Observed $t_0 = N + n$ × (V.C.)	Corrected $t = t_0 + c$
1.	CG					$t_1 =$
2.	BF					$t_2 =$
3.	HD					$t_3 =$
4.	EA					$t_4 =$

Calculations

Mean corrected length of the block,

$$l = \frac{l_1 + l_2 + l_3 + l_4}{4} = \dots \text{ cm}$$

Mean corrected breadth of the block,

$$b = \frac{b_1 + b_2 + b_3 + b_4}{4} = \dots \text{ cm}$$

Mean corrected thickness of the block,

$$t = \frac{t_1 + t_2 + t_3 + t_4}{4} = \dots \text{ cm.}$$

Volume of block, $V = l \times b \times t = \dots \text{ cm}^3$

Density of the block material,

$$\rho = \frac{m}{V} = \dots \text{ g cm}^{-3}$$

Result

Density of block material = g cm⁻³

Precautions

Same as given in Experiment 1A.

Sources of error

Same as given in Experiment 1A.