

Pb - ④2 W.B. Utility per unit length

Lecture ②
16/04/19

$$\text{For } P = 100 \times 0.5 + (150 \times 1) + (40 \times 2) + 20(4) + 3 \times 8 + (150 \times 1)$$

+ 20(S)

$$\begin{aligned} \text{For } S &= 1.253 \\ \text{For } Q &= 1.11 \\ \text{For } R &= 1.857 \\ \text{For } S &= 1.922 \end{aligned}$$

Chapter - ②

Geometric Design

[IRC 73-1980]

- A = Cross-sectional element
- B = Sight distance
- C = Horizontal alignment
- D = Vertical alignment

A) CROSS SECTIONAL ELEMENTS →

● Pavement characteristic

① Friction

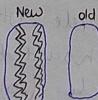
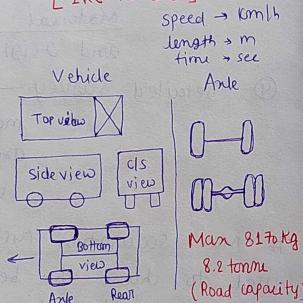
longitudinal friction \Rightarrow

- this friction help or support movement of vehicle
- this friction depend upon speed
- For most speed friction generated is less ($V^{\alpha} \frac{1}{F}$)
- As per IRC [$f_{long} = 0.35 - 0.40$] [Area of contact \propto coeff of friction]

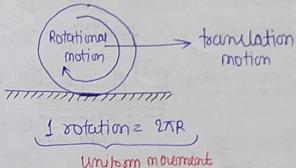
Note On dry Pavement old tyre generate more coefficient of friction than new tyre due to large area of contact, whereas on wet Pavement cond is reverse because water act as a lubricating agent.

lateral friction \rightarrow this friction comes only when there is a lateral force on vehicle.

As per IRC [$f_{lateral} = 0.15$]



B) SKID AND SLIP



Skid (during brake) SLIP (during acc.)

R.M < T.H

R.M > T.H

Pure skid

Pure slip

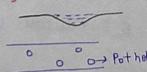
R.M = 0

T.H = 0

R.M ≠ 0

T.H ≠ 0

Corrugation



C) Unevenness Index

It is define as cumulative undulation (sudden rise and sudden fall)

Pen unit - road length. st is measured by bump integrator (developed by CRRI)

Note the similar factor in other country (IRI) (International Roughness index)

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$$B.I. = 630 [IRI]^{1/2} \star \star$$

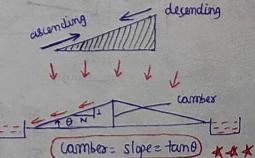
B.I. (mm/km) Type of Road

< 1500	Good
1500 - 2500	Satisfactory
2500 - 3200	Bad (Repaired)
> 3200	Uncomfortable (Reconstructed)

2) CAMBER (gradient \rightarrow longitudinal slope)

(elevation at the center of Pavement)

(cross-slope provided to road by elevating center line in order to allow the drainage from surface to drainage system)



Type of camber

A) Straight line camber



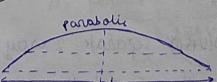
B) Parabolic camber



Eqn of Parabolic camber

$$y = \frac{2x^2}{NW}$$

C) Combination



Camber as per IRC

High rainfall	Light rainfall
CC Pavement High situmen thin bituminous tape	2.1
NBM/Gravel Road Earthfill Road	1.7%
	2.5%
	3.1%
	4.1%
	3.1%

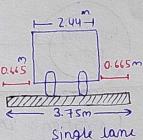
Note: Parabolic camber is prefer → (When the road design for high speed due to flat center position)

$$\text{Gradient} = 2 \times \text{camber}$$

③ Width of Pavement:

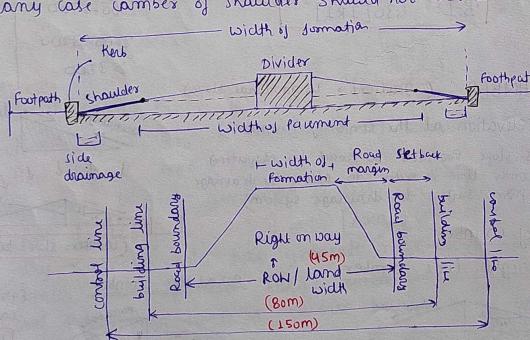
[Lane width]

1. Single Lane 3.75m
2. two Lane without Kerb 7m
3. two Lane with Kerb 7.5m
4. Intermediate Lane 5.5m
5. Multiple Lane 3.5m per lane



④ Shoulder: (An extra width is provided adjacent to edge of pavement is called shoulder)

- gt is provided for emergency point of view like medical emergency break down of vehicle etc. as per IRC
- Width of shoulder should be mini 2.5m
- Camber of shoulder should be 0.5% steeper than camber of road.
- In any case camber of shoulder should not be less than 3%.



⑤ KERB: Element provided as a separator b/w pavement and footpath. It provides lateral support to the pavement.

⑥ DIVISOR / Medium/ divisional island: Divisor separates 2 way traffic due to which head of collision can be avoided.

- gt also reduce glazing due to head light of vehicle coming from opposite dir

- As per IRC (mini width of divisor in highway is 5m [when space is restricted then minimum width is 3m])

Typical cross-section of road over embankment

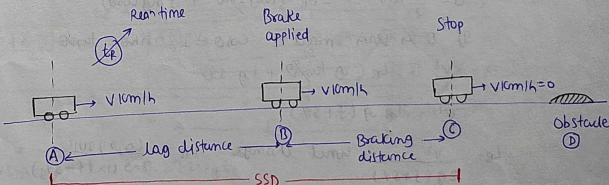
[B] Sight distance

1. OSD
2. SSD
3. ISD

(43) P.b. Camber of road = $2.1\% = \frac{L}{50}$ (a) Camber shoulder of CC = 2.1.
 N=50 y = 2x^2 = \frac{2 \times L^2}{50 \times 7} = \frac{x^2}{175} y = 2.1
 W=7 shoulder = 2 + 0.5 = 2.5
shoulder + 3.1
3.1 Ans

① SSD (absolute min. sight distance / Non passing sight distance (b) Stopping sight distance)

- gt is min. sight distance available on a Highway at any spot having sufficient length to enable the driver to stop the vehicle travelling without collision with any obstruction.



② Lag distance

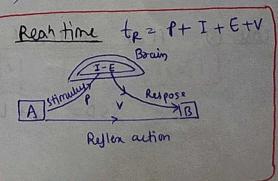
Distance travelled by vehicle during react time

$$L_L = V_{km/h} \times t_{react} = \left(\frac{1000}{3600} \right) V_{km/h} t_{react} = 0.277 V t_{react}$$

As per IRC

$$L_L = 0.278 V t_{react}$$

$V \rightarrow 100 \text{ km/h}$
 $t_{react} \rightarrow 3 \text{ sec}$
 $L_L \rightarrow 3 \text{ m}$



	t_p (sec)
SSD \rightarrow	2.5 sec
OSD \rightarrow	2.0 sec
min space headway \rightarrow	0.7 sec

(P) Perception \rightarrow time lost in perceiving an object

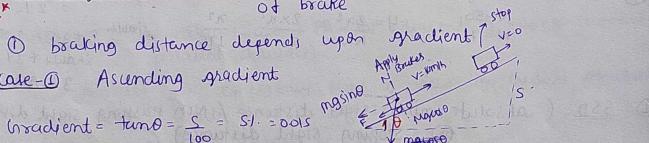
(I) Intention \rightarrow time lost in understanding the situation

(E) Emotion \rightarrow time lost due to anger and fear

(V) Volition \rightarrow time lost in final action

[B] Braking distance (L_B) Distance travelled by vehicle after application of brake

Main*
① braking distance depends upon
case-① Ascending gradient



$$\text{total resistive force} = mg \sin\theta + F = mg \sin\theta + fmg \cos\theta$$

$$\Delta KE = W.D \quad \tan\theta \quad \frac{1}{2}mv^2 = -L_B(mg \sin\theta + fmg \cos\theta)$$

$$if \theta \text{ is very small, } \cos\theta = 1, \sin\theta = \tan\theta \\ \Rightarrow \frac{v^2}{2} = L_B(g \tan\theta + f g \cdot 1)$$

$$\frac{v^2}{2} = L_B \cdot g \cdot (f + s.t)$$

$$L_B = \frac{v^2}{2g(f+s.t)} \quad \text{unit change} \quad L_B = \frac{0.278v^2}{254.61 \times (f+s.t)} = \frac{v^2}{253.86(f+s.t)}$$

$$\text{As per IRC} \quad L_B = \frac{v^2}{254(f+s.t)}$$

case ② Descending gradient

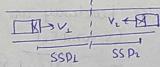
$$L_B = \frac{v^2}{254(f-s.t)}$$

case ③ Flat gradient $s=0$

$$L_B = \frac{v^2}{254f}$$

$$SSD = L_c + L_B = 0.278vT + \frac{v^2}{254(f+s.t)}$$

Note : Single lane road
2 way traffic



$$SD = SSP_1 + SSP_2$$

Note : $f = \eta_{\text{friction}} L_B / f_{\text{max}}$ \downarrow
if braking efficiency (η_B) and max friction is f_{max} then f_{friction} will be

Pb- ④ $SSD = SSP_1 + SSP_2$

$$SSD = 0.278 \times (60)(2.5) + \frac{(60)^2}{254(0.35+0.07)} + \frac{0.178 \times (60)(2.5)}{28 \times (0.35+0.07)} \\ = 78.04 + 87.42 + 165.46m$$

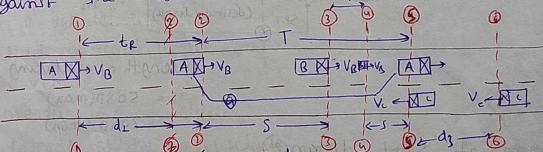
Pb-

$$L_c - L_s = 9$$

$$\frac{v^2}{254(f-s.t)} - \frac{v^2}{254(f+s.t)} = 9 \quad [2.84] \text{ Ans}$$

② OSD (Overtaking sight distance) \rightarrow (Passing sight distance)
mini sight distance open to the vision

of a driver intending to overtake slow vehicle ahead tangibly
against the traffic in opposite dir.



$$\text{distance } (d_1) = 0.278 V_B t_p$$

$$\text{distance } (d_2) = (2s+b) = V_B T + \frac{1}{2} a T^2 \quad \text{model: uniform deceleration} \\ 2s + V_B t = V_B T + \frac{1}{2} a T^2$$

$$T = \sqrt{\frac{4s}{a}}$$

$$S = 0.2V_B + b$$

Overtaking time

$$d_2 = 0.278 V_B T + 2s$$

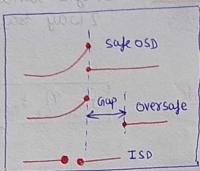
$$d_2 = 0.278 V_B T + \frac{1}{2} a T^2$$

$$d_3 = 0.278 V_B T$$

Note! If space headway are different then $T = \sqrt{\frac{2(d_1+d_2)}{a}}$

$$OSD = d_1 + d_2 + d_3$$

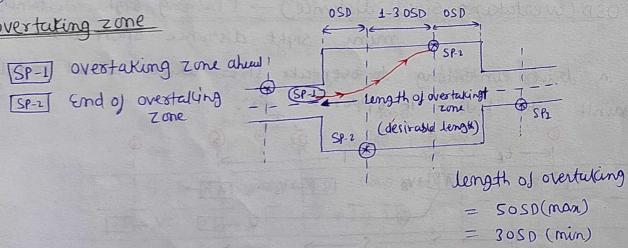
$$OSD = 0.278V_{AtP} + (0.278V_B T + \frac{1}{2} g T^2) + (0.278 \times V_C T)$$



Some GMP Point

- ① For 1 way traffic $OSD = D_1 + D_2$
- ② If data not given then speed of vehicle A and vehicle C can be considered same ($V_A = V_C$)
- ③ For design if design speed is V kmph
- ④ IRC has not consider effect of gradient for OSD calculation

Overtaking zone



ISD (Intermediate Sight distance)

is the substitute of OSD & it is

provided only when OSD can't be provided

$$SSD < ISD < OSD \quad (\text{generally}) \quad ISD \approx 2 SSD$$

- Height of driver eye (H) for SSD = 1.2m
- Height of obstruction (h) for SSD = 0.15m
- Height of driver eye (H) for OSD = 1.2m
- height of obstruction (h) for OSD = 1.2m

1

Pb-(47)

$$V_A = 85 \text{ kmph}, V_B = 60 \text{ kmph}$$

$$\begin{aligned} OSD &= (0.278V_{AtP} + 0.278V_B T + \frac{1}{2} g T^2) + 0.278V_C T \\ &= 0.278 \times 60(2) + (0.278 \times 60 \times 8.84) + \frac{1}{2} (0.02 \times 8.84^2) \\ &+ (0.278 \times 85 \times 8.84) \\ &= 425.64 \text{ m} \end{aligned}$$

b] Desirable length of overtaking zone

$$= 5 \times OSD = 5 \times (425.64) = 2128.2 \text{ m Ans}$$

(N) Horizontal Alignment

Terrain classification

	Plain terrain		Rolling terrain	
	Ruling min	Rule min	Ruling min	Rule min
Express highway	120	100	100	80
NH & SH	100	80	80	65
MDR	80	65	65	50

Design speed



	Plain terrain	Rolling terrain
Ruling min	120	100
Rule min	100	80
MDR	80	65

- Horizontal curve When a vehicle negotiate a horizontal curve then centrifugal force act at outward direction which is laterally on a vehicle

- Effect of centrifugal force on vehicle

- ① overturning of vehicle

- ② lateral skidding of vehicle

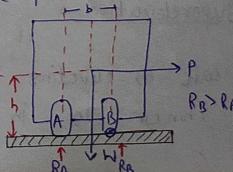
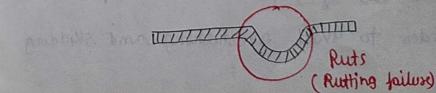
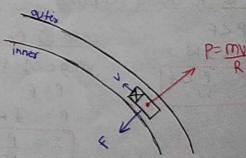
- ③ O.T.V (Overturning of vehicle)

$$P = \text{centrifugal force} = \frac{mv^2}{R}$$

$$F = \text{friction} = f \cdot mg$$

$$W = \text{Weight of vehicle} = mg$$

$$I = \left(\frac{P}{W}\right) = \text{centrifugal ratio (impact factor)}$$



$$M_o = \text{overturning moment} = P \times h$$

$$M_R = \text{Resistive moment} = W \times \frac{b}{2}$$

case - ① To avoid overturning

$$M_o < M_R$$

$$P \times h < W \times \frac{b}{2}$$

$$I = \frac{P}{W} < \frac{b}{2h}$$

case - ② on the verge of overturning

$$M_o = M_R$$

$$P \times h = W \times \frac{b}{2}$$

$$I = \frac{P}{W} = \frac{b}{2h}$$

case - ③ Unsafe case

$$M_o > M_R$$

$$P \times h > W \times \left(\frac{b}{2}\right)$$

$$I = \frac{P}{W} > \frac{b}{2h}$$

$$\text{Skidding force} = P$$

$$\text{Resistive force} = F = f \cdot W$$

case - ① to avoid skidding

$$P < F$$

$$P < f \cdot W$$

$$I = \frac{P}{W} < f$$

case - ② On the verge of skidding

$$P = F$$

$$P = f \cdot W$$

$$I = \frac{P}{W} = f$$

Note To avoid both overturning and skidding

$$I < \left\{ \begin{array}{l} \frac{b}{2h} \\ f \end{array} \right.$$

case - ③ Unsafe case

$$P > F$$

$$P > f \cdot W$$

$$I = \frac{P}{W} > f$$

• Super-elevation → it is cross-slope provided to horizontal curve by elevating outer edge of pavement with respect to inner edge. in order to avoid overturning and skidding

due to effect of centrifugal force

$$\text{Type ① } e = 7.1, f = 0.15, I = \frac{(e+f)}{(1-e+f)} = \frac{0.07+0.15}{1-0.07+0.15} = 0.22$$

Pb - ②

$$V = 65, R = 1400, I = \frac{f}{\omega} = \frac{M_R}{W} = \frac{V^2}{Rg} = \frac{(0.278 \times 65)^2}{1400 \times 9.81}$$

$$= 0.023 \text{ Ans}$$

$$\text{Superelevation} = \tan \theta = \frac{x}{100} = x \cdot 1 = e$$

$$N = W \cos \theta + P \sin \theta$$

force balance along inclined

$$\Rightarrow P \cos \theta = W \sin \theta + F$$

$$P \cos \theta = W \sin \theta + f (W \cos \theta + P \sin \theta)$$

$$P(1-f \tan \theta) = W(f + \tan \theta)$$

$$(I) \quad I = \frac{P}{W} = \frac{(e+f)}{(1-e+f)}$$

Centrifugal ratio

$$\frac{mv^2}{R} = \frac{(e+f)}{1-e+f} \cdot \frac{V^2}{Rg} = \frac{e+f}{1-e+f}$$

As per IRC → (ef << 1) (only for Indian road)
ef will include in track, supertrack etc

$$\Rightarrow \frac{V^2}{Rg} = e+f$$

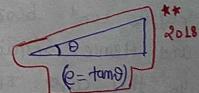
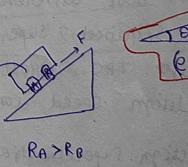
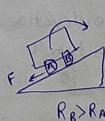
$$e+f = \frac{(0.278 V)^2}{9.81 \times R} = \frac{V^2}{126.93 R}$$

As per IRC

$$e+f = \frac{V^2}{127 R}$$

Special case →

Equilibrium superelevation



Superelevation corresponding to which pressure under inner tyre and outer tyre will same is called equilibrium superelevation in this case friction = 0

$$f=0 \quad R_{\text{equi}} = \frac{V^2}{127R} \quad ***$$

Ques (4b)
 V = 50 km/h
 R = 100 m
 f = 0.15

e + f = $\frac{V^2}{127R}$
 $e+0.15 = \frac{(50)^2}{127(100)} = e = 0.0468$
 $= 4.68\%$

(b) e = 0
 $e+f = \frac{V^2}{127R} = 0.1968$ $e_{\text{eq}} = \frac{V^2}{127R} = 0.236$

Ans (c) NB $I = \frac{e+f}{1-e^2} = \frac{V^2}{89}$
 $e = \tan\theta = \tan 33^\circ$ $I = \frac{\tan 33 + 0.15}{1 - \tan 33 \times 0.15} = \frac{(0.273 \times 3.29)}{9.81 \times 3.35}$
 $V = 320 \text{ km/h}$ $f = 0.686$
 $R = 335 \text{ m}$

Super elevation as per IRC :-

① Max superelevation →

Urban Area

Plain and Rolling terrain

mountainous and steep terrain

e_{max}

4.1%

7.1%

10.1%

② Min superelevation

$e_{\text{min}} = \text{corner of road}$

$e_{\text{min}} \leq e_{\text{provided}} \leq e_{\text{max}}$

● Design of superelevation is a complex problem under mix traffic cond bcoz different vehicle moving different speed and hence required superelevation is also different. In this case IRC suggest to design the superelevation for 75% of design speed considering coeff of friction '0'

Step ① Design superelevation for

Step ① Design superelevation for 75% of design speed (considering $f=0$)

$$e + f = \frac{(0.75V)^2}{127R} = \frac{V^2}{225.7R}$$

$$e = \left(\frac{V^2}{225R} \right) + e_{\text{max}} \quad (\text{design speed})$$

(or min. if $e \leq e_{\text{max}} \Rightarrow$ then provide $e = e_{\text{max}}$)

But if $e > e_{\text{max}} \Rightarrow$ then provide $e = e_{\text{max}}$ and check

Step ② Check f with 100% of design speed

$$f = \left(\frac{V^2}{127R} - e_{\text{max}} \right) \neq 0.15$$

If $f \leq 0.15$ provide $e = e_{\text{max}}$ is safe

If $f > 0.15 \Rightarrow$ then speed restriction read

Step ③ If $f > 0.15$ (then speed of restriction read)

max allowable speed

$$V_{\text{max}} = \sqrt{127R(e_{\text{max}} + 0.15)}$$

IMP

[mix traffic design]

Q- (4d) $R = 240 \text{ m}, V = 90 \text{ km/h}$

$$e = \frac{V^2}{225R} = \frac{(90)^2}{225(240)} = 0.15 \neq 0.07$$

$$f = \left(\frac{V^2}{127R} - e_{\text{max}} \right) = \left(\frac{90^2}{127 \times 240} - 0.07 \right) = 0.195 \neq 0.15$$

Speed restriction read

$$V_{\text{max}} = \sqrt{127R(e_{\text{max}} + 0.15)}$$

$$V = \sqrt{127 \times 240(0.07 + 0.15)} = 81.82 \approx 80 \text{ km/h}$$

types of Radius :-

i] RMR (Ruling min Radius) = $\frac{V^2}{127(e_{\text{max}} + 0.15)}$

2] A MR

Absolute min. Radius

$$AMR = \frac{V_{min}^2}{12(C_{min} + 0.15)}$$

(2004)

Pb-50

$$\frac{V^2}{225 \times \text{camber}} = \frac{(80)^2}{225 \times 0.03}$$

$$= 348.14 \text{ m}$$

3] R_{BNSN} (Radius Beyond which no super-elevation needed)

R_{BNSN} = camber of road
 gt is radius length to which camber of road is converted into super-elevation. gt is design length of the bank of TS & design speed considering coeff. of friction μ

$$R_{BNSN} = \frac{V^2}{225 \times \text{camber}}$$

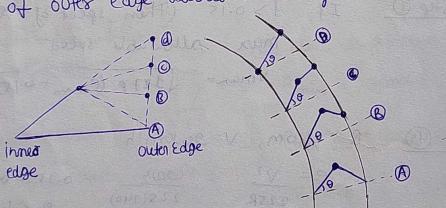
Attainment of superelevation.

Stage 1] Elimination of crown of camber [C \rightarrow SE]

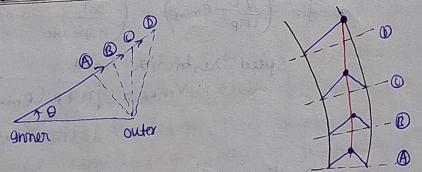
Stage 2] Rotation of Pavement [SE \rightarrow Required superelevation.]

① Elimination of crown of camber \rightarrow

[A] Elevation of outer edge about crown of camber:

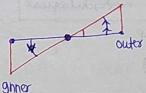


[B] Diagonal crown method:



Stage-② [Rotation of Pavement]

Rotation about centre



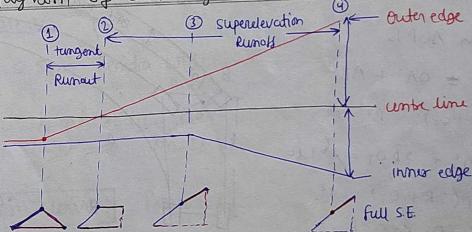
- Centre lines remain same
- Earthwork is balanced
- gt may interfere drainage system

Rotation about inner edge

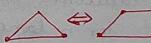


- Centre line elevated
- Filling reqd.
- Will not interfere drainage system

combine diagram of both stage for rotation of pavement about center



① Tangent Runout gt is length of road needed to change outside lane cross-slope from normal cross slope to zero or vice-versa



② Superelevation Runoff gt is length of road needed to change outside lane cross slope from '0' to full superelevation or vice-versa

