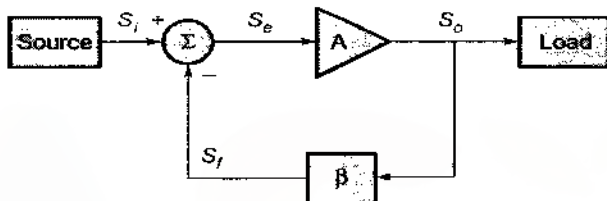


Feedback Amplifiers

9

Basic Feedback Concept



where,

A = Open loop gain

β = Feedback factor

S_i = Input signal

S_e = Error signal

S_f = Feedback signal

Gain with feedback

$$A_f = \frac{A}{1 + A\beta}$$

for -ve feedback ;

$$A_f = \frac{A}{1 - A\beta}$$

for +ve feedback

Remember:

The amount of feedback introduced into amplifier is often expressed in dB and is given by

$$N(\text{Feedback in dB}) = 20 \log \left| \frac{1}{1 + A\beta} \right|$$

Here, $N \rightarrow -ve$ for -ve feedback and $N \rightarrow +ve$ for +ve feedback.

Loop gain or return ratio

$$\text{Loop gain} = -A\beta$$

Return difference

- Difference between unity and loop gain is called **return difference (D)**.

$$D = (1 + A\beta)$$

- D is also called **desensitivity**.

Sensitivity

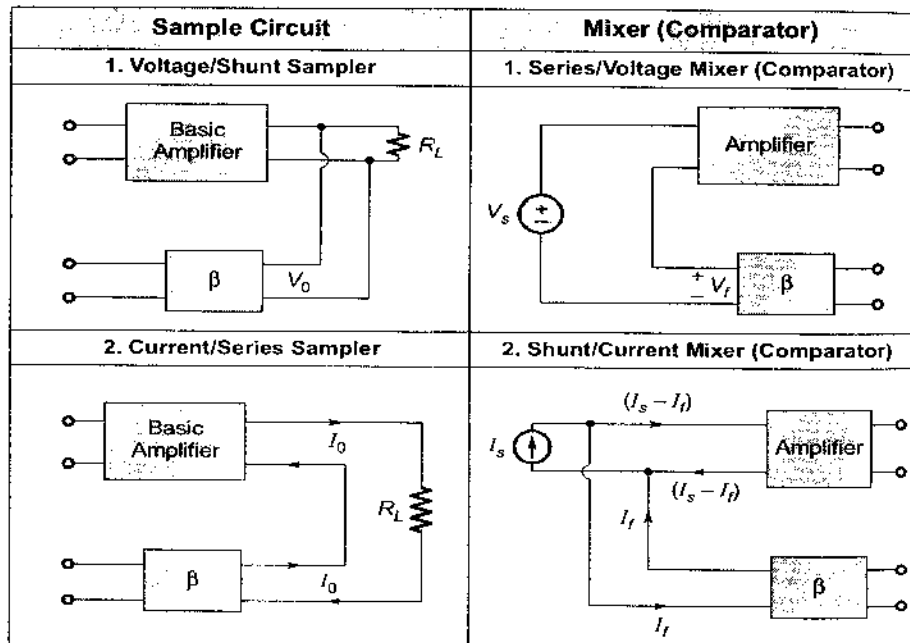
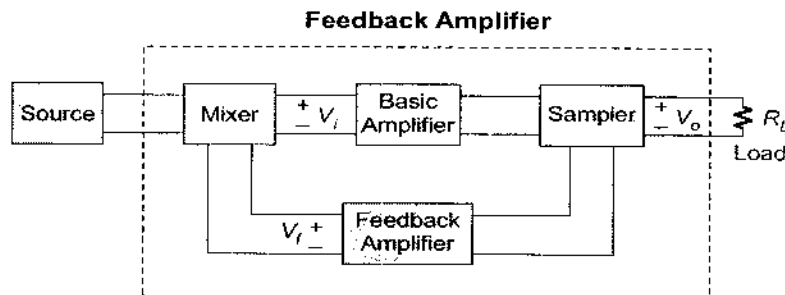
In case of negative feedback if,

$$\frac{dA}{A} \rightarrow \% \text{ change without feedback.}$$

$$\frac{dA_f}{A_f} \rightarrow \% \text{ change with feedback.}$$

$$\frac{dA_f}{A_f} = \frac{dA/A}{1 + A\beta} \quad \text{i.e. reduction in sensitivity of amplifier.}$$

General Block Diagram of Feedback Network.



Effect of Feedback

- Reduction in noise

$$N_{of} = \frac{N_o}{1 + A\beta}$$

N_o = Noise without feedback

N_{of} = Noise with feedback

- Lower cutoff frequency

$$f_{Hf} = \left(\frac{f_i}{1 + A\beta} \right)$$

f_{Hf} = Lower 3-dB frequency with feedback

f_i = Lower 3-dB frequency without feedback

- Upper cutoff frequency $f_{Hf} = f_H(1 + A\beta)$

where, f_{Hf} = Upper 3-dB frequency with feedback.

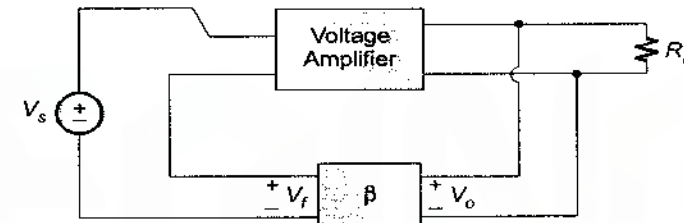
f_H = Upper 3-dB frequency without feedback.

Note:

Bandwidth increases with -ve feedback.

Feedback Topology

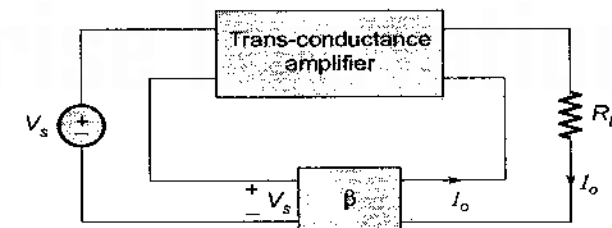
1. Voltage series topology



(i) β is dimensionless.

(ii) Voltage series feedback stabilizes the voltage gain.

2. Current series topology



(i) Unit of β is Ohm.

(ii) It stabilizes trans-conductance gain of the amplifier.