

ALTERNATING CURRENT

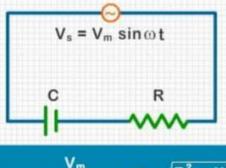
It is the movement of electrical charge through a medium that changes direction periodically

1 SUMMARY

AC SOURCE CONNECTED WITH	PHASE	PHASE DIFFERENCE	IMPEDANCE Z	PHASOR DIAGRAM
Pure Resistor	0	V _R is in same phase with i _R	R	$\xrightarrow{V_{m}}$
Pure Inductor	$\frac{\pi}{2}$	V _L leads i _L by 90°	XL	V _m \
Pure Capacitor	$-\frac{\pi}{2}$	V _c lags i _c by 90°	Xc	V _m ✓ I _m

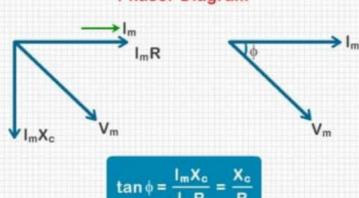
2 RC SERIES CIRCUIT WITH AN AC SOURCE

Circuit Diagram



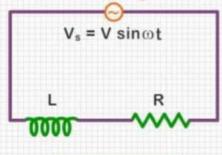
$$I_{m} = -\frac{V_{m}}{\sqrt{R^{2} + X_{c}^{2}}} \Rightarrow Z = \sqrt{R^{2} + X_{c}^{2}}$$

Phasor Diagram



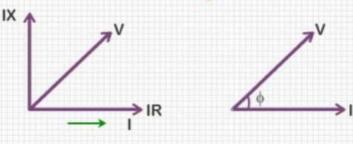
3 IR SERIES CIRCUIT WITH AN AC SOURCE

Circuit Diagram



$$V = I\sqrt{R^2 + X_L^2}$$

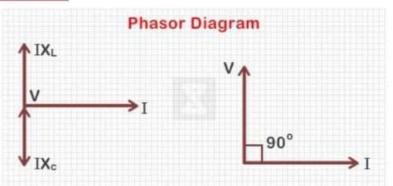
Phasor Diagram



$$\tan \phi = \frac{IX_L}{IR} = \frac{X_L}{R}$$

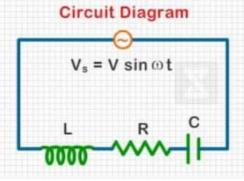
LC SERIES CIRCUIT WITH AN AC SOURCE

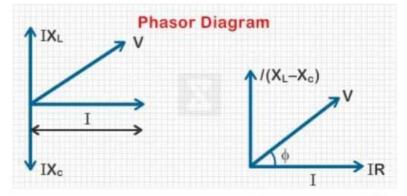
Circuit Diagram Vs = V sinot 0000



From the phasor diagram $V = I |(X_L - X_c)| = IZ$, $\varphi = 90^\circ$

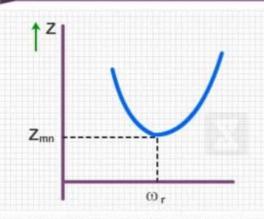
RLC SERIES CIRCUIT WITH AN AC SOURCE

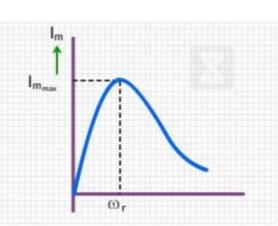




From the phasor diagram $V = \sqrt{(IR)^2 + (IX_L - IX_c)^2}$, $Z = \sqrt{R^2 + (X_L - X_c)^2}$ $tan\phi = \frac{I(X_L - X_c)}{IR} = \frac{(X_L - X_c)}{R}$

RESONANCE





Amplitude of current (and therefore Irms also) in an RLC series circuit is maximum for a given value of V_m and R, if the impedance of the circuit is minimum, which will be when $X_L-X_C = 0$. This condition is called resonance.

So at resonance:
$$X_L - X_C = 0 \implies \omega = \frac{1}{\sqrt{LC}}$$