

## Rational Numbers

S.no	Type of Numbers	Description
1	Natural Numbers	$N = \{1, 2, 3, 4, 5, \dots\}$ It is the counting numbers
2	Whole number	$W = \{0, 1, 2, 3, 4, 5, \dots\}$ It is the counting numbers + zero
3	Integers	$Z = \{\dots, -7, -6, -5, -4, -3, -2, -1, 0, 1, 2, 3, 4, 5, 6, \dots\}$
4	Positive integers	$Z_+ = \{1, 2, 3, 4, 5, \dots\}$
5	Negative integers	$Z_- = \{\dots, -7, -6, -5, -4, -3, -2, -1\}$
6	Rational Number	A number is called rational if it can be expressed in the form $p/q$ where $p$ and $q$ are integers ( $q > 0$ ).  Example: $\frac{1}{2}, \frac{4}{3}, \frac{5}{7}, 1$ etc.

S.no	Terms	Descriptions
1	Additive Identity/Role of Zero	Zero is called the identity for the addition of rational numbers. It is the additive identity for integers and whole numbers as well  $a + 0 = a$
2	Multiplicative identity/Role of one	1 is the multiplicative identity for rational numbers. It is the multiplicative identity for integers and whole numbers as well  $a \times 1 = a$
3	Reciprocal or	The multiplicative inverse of any rational number $a/b$ is

multiplicative inverse

defined as  $b/a$  so that  $(a/b) \times (b/a) = 1$

Zero does not have any reciprocal or multiplicative inverse

## Properties of Rational Numbers

### Closure Property

Numbers	Closed Under			
	addition	subtraction	multiplication	division
<b>Rational numbers</b>	Yes	Yes	Yes	No
<b>Integers</b>	Yes	Yes	Yes	No
<b>Whole Numbers</b>	Yes	No	Yes	No
<b>Natural Numbers</b>	Yes	No	Yes	No

### Commutativity Property

Numbers	Commutative Under			
	addition	subtraction	multiplication	division
<b>Rational numbers</b>	Yes	No	Yes	No
<b>Integers</b>	Yes	No	Yes	No
<b>Whole Numbers</b>	Yes	No	Yes	No
<b>Natural Numbers</b>	Yes	No	Yes	No

### Associativity Property

Numbers	Associative Under			
	addition	subtraction	multiplication	division
<b>Rational numbers</b>	Yes	No	Yes	No
<b>Integers</b>	Yes	No	Yes	No
<b>Whole Numbers</b>	Yes	No	Yes	No
<b>Natural Numbers</b>	Yes	No	Yes	No