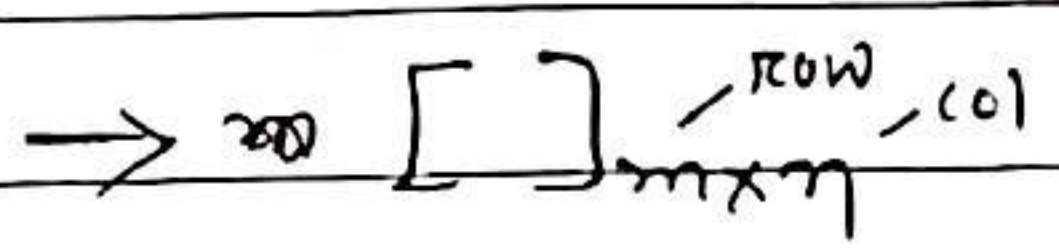


• Array -

(i) Row major order -



$m:n$

$A[i][j] = (i \times n) + j \times \text{size of element} + \text{Base add.}$

→ (Index start from 0)

$A[i][j] = ((i-1) \times n) + (j-1) \times \text{size of element} + \text{Base.}$

→ (Index start from 1)

(ii) Col major order -

$m:n$

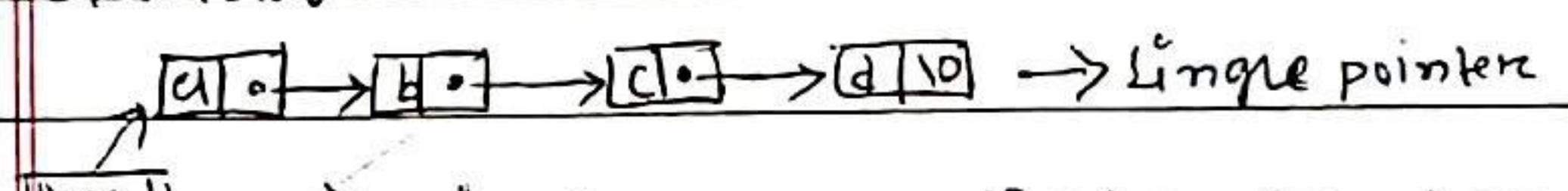
$A[i][j] = (j \times m) + i \times \text{size of element} + \text{Base.}$

$A[i][j] = ((j-1) \times m) + (i-1) \times \text{size element} + \text{Base.}$

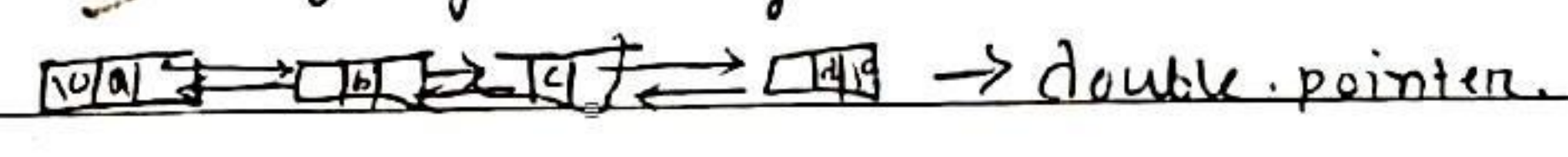
• Structure -

→ structure can be pass to a function as well as return by a function.

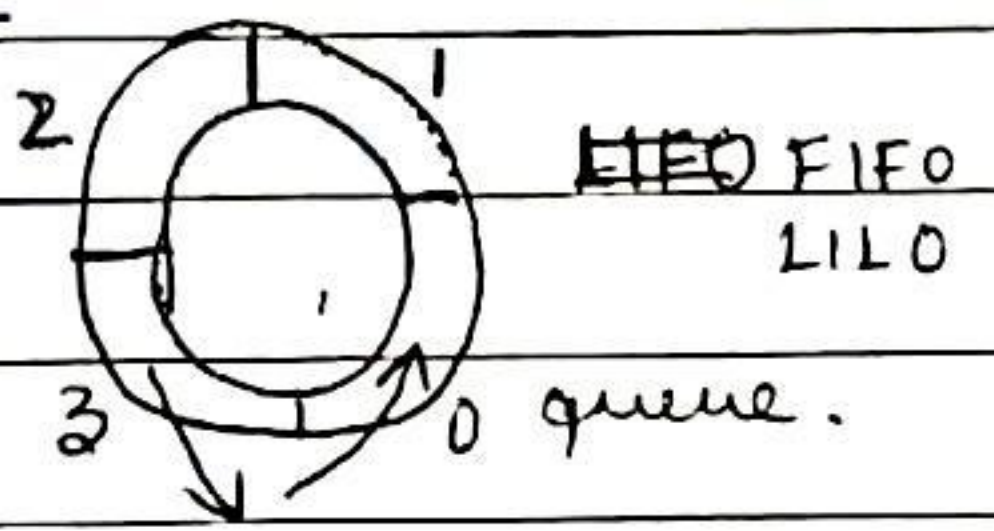
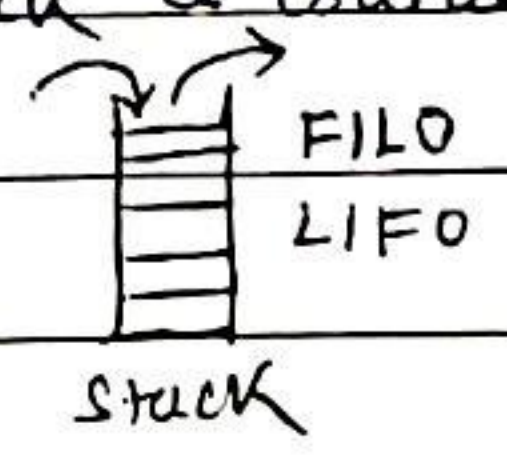
* • Link List -



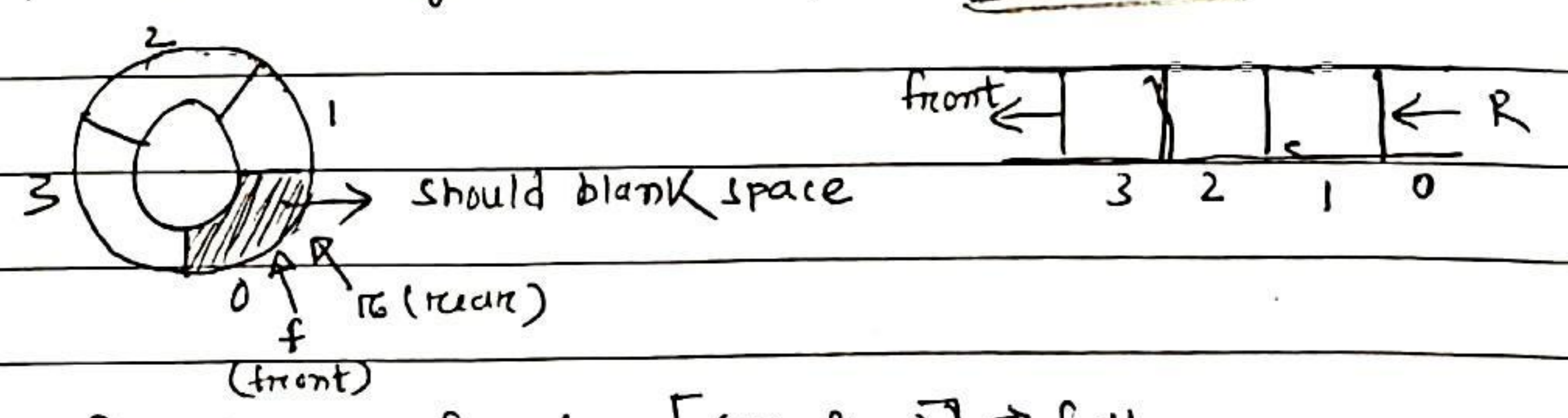
→ going to any particular number structure (link-list) take $O(n)$.



* • Stack & Queue -



→ In circular queue, if array size = n , then we use $(n-1)$ amount of size.

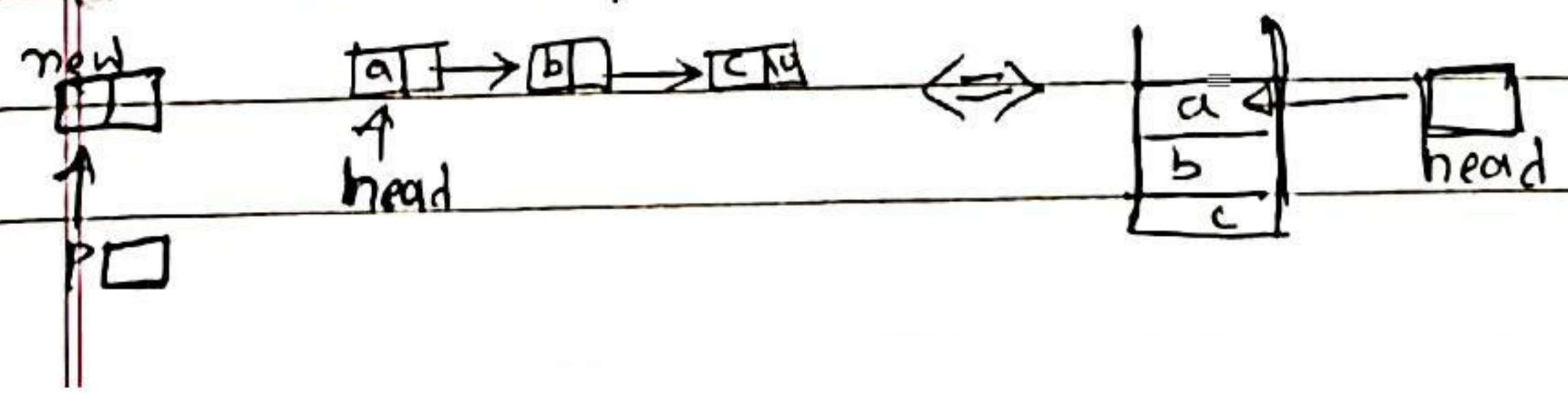


→ $(\text{rear} + 1) \text{ mod } n = \text{front}$ [overflow] → full.

→ $\text{rear} = \text{front}$ [underflow] → empty.

→ stack PUSH & POP → $O(1)$ Time complexity.

→ link list imp use of stack:

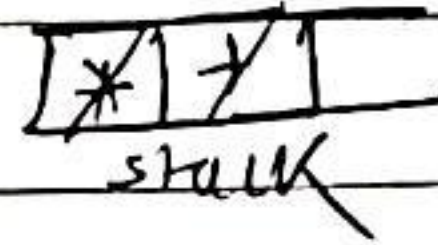


• Infix \rightarrow postfix

\rightarrow postfix related anything stack req.

ex: $a * b + c$ - Infix

$\Rightarrow ab * c +$ - postfix



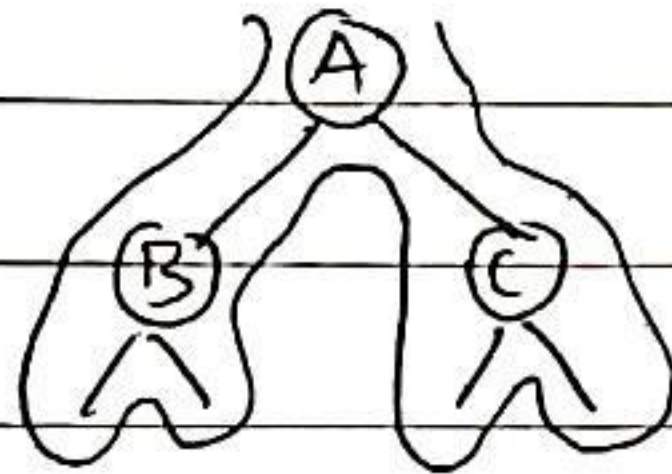
ex: $a * b + (c - d)$ - Infix

$\Rightarrow ab * cd - +$ - postfix

• Tree:

Methods of traversing -

- \rightarrow In-order traversing. Left-Root-Right = BAC
- \rightarrow pre-order " " " " Root-left-Right = ABC
- \rightarrow post-order " " " " Left-Right-Root = BCA



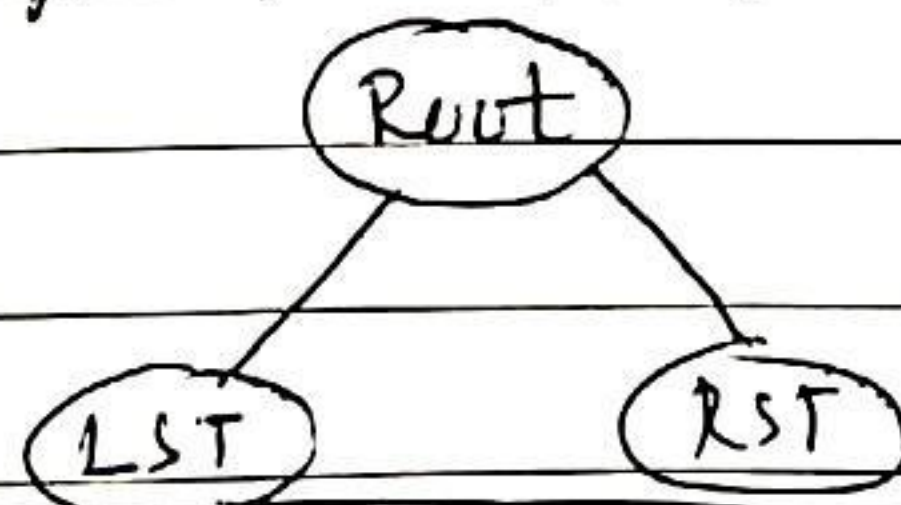
\rightarrow Time complexity for In/pre/post order traversal = $O(n)$.

\rightarrow With 'n' node no. of unlabelled Binary tree = $\frac{2^n C_n}{(n+1)}$.

\rightarrow With 'n' nodes no. of labelled " " " " = $\frac{2^n C_n * n!}{(n+1)}$.

\rightarrow With given pre, post and Inorder we always get only one ~~from~~ unique binary tree.

• Recursive program to count no. of node - $O(n)$ - T.C & S.C



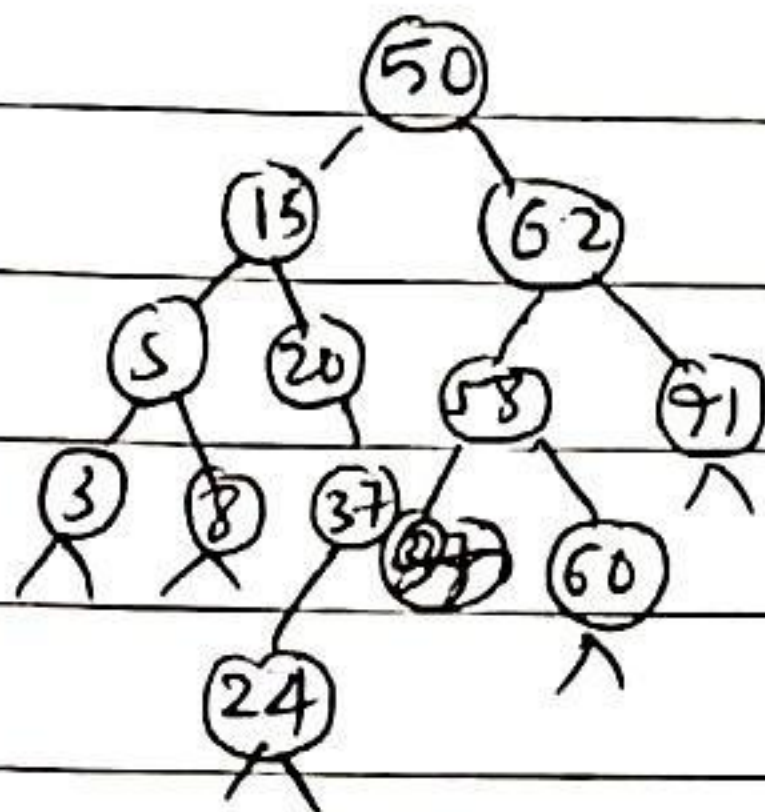
$$\begin{aligned}
 NN(T) &= 1 + NN(LST) + NN(RST) \\
 &= 0 ; \text{ if } T \text{ is NULL}
 \end{aligned}$$

• Recursive pro to find count no. of leaves and non leaves - $O(n)$

• " " " " find height of tree = $O(n)$ T.C & S.C.

• BST (Binary Search tree) -

50, 15, 62, 5, 20, 58, 91, 3, 8, 37, 60, 24



→ Inorder traversal of a BST give sorted ordered element.

→ By doing deletion never increase height of tree.

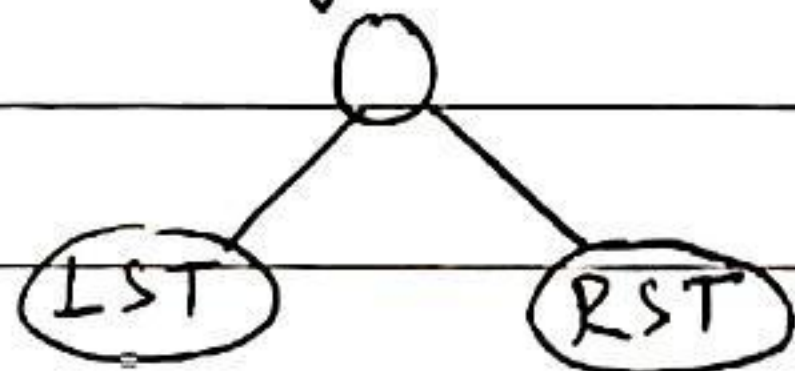
→ By " insertion height may increase.

• Inorder successor = last element in right sub tree.

• Inorder predecessor = greatest element in left sub tree.

• AVL tree -

→ is an balancing search tree.



$$\text{Balance factor} = \text{Height(LST)} - \text{Height(RST)}$$

$$= (-1, 0, 1) \text{ OK}$$

$$= -2 \text{ or } 2 \rightarrow \text{unbalanced}$$

* Complexity Analysis -

	BST	BBST (AVL)
Search	$O(n)$	$O(\log n)$
Height	$O(n)$	$O(\log n)$
Insert	$O(n)$	$O(\log n)$

→ Max node in AVL or normal tree = $2^{h+1} - 1$ $h \rightarrow$ height.

→ Min node in AVL,

$$N(h) = N(h-1) + 1 + N(h-2) = (h+1).$$

→ some time use substitution method.

** Recursion - (stack or tree)

→ by in recursion using stack or tree we can found O/P.

→ when function contain many lines then go with stack method.

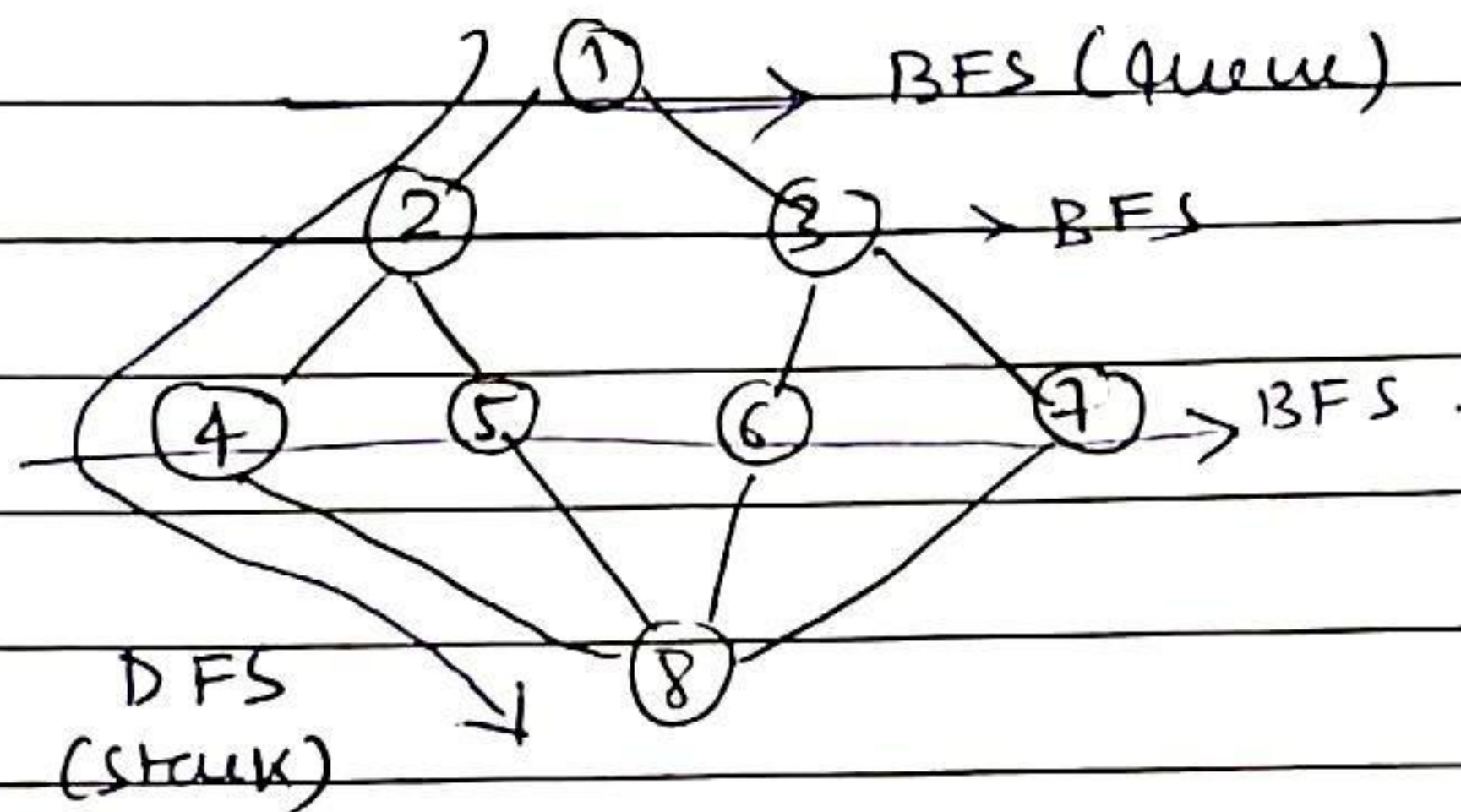
→ " " " only recursive function then go with

→ B.Type (find O/P).

tree method.

* Graph -

- BFS (breadth first search) & DFS: - Depth



→ ~~BFS implementation using adjacency matrix implementation~~

→ BFS Implementation	adj matrix	link list
T.C	$O(V^2)$	$O(V+E)$
S.C	$O(V)$	$O(V)$ or $O(m)$

→ DFS Imp	adj matrix	adj list
T.C	$O(V^2)$	$O(V+E)$
S.C	$O(V)$	$O(V)$

→ Space & Time complexity same in both case BFS & DFS.