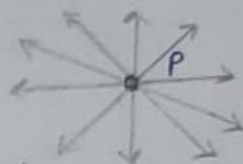


5. INTRODUCTION TO ① EUCLID'S GEOMETRY.

Exercise - 5.1

Question-01

Ans (i) False, Infinitely many lines can pass through a point.



(ii) False, Only one line can pass through two distinct points.



(iii) True, A terminated line or line segment can be produced indefinitely on both sides.



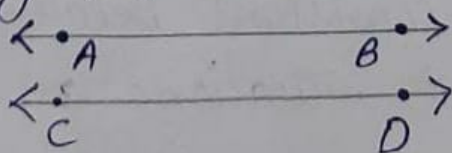
(iv) True, Two circles of equal area will have the same radius. [From relation πr^2]

(v) True, According to axiom if two things are, separately, equal to third thing. Then, they are equal to each other.

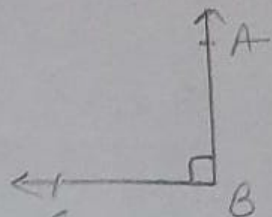
Question 2

Ans (i) Parallel lines:- Two straight lines in a plane that do not intersect at any point are said to be parallel.

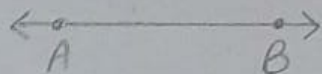
for example



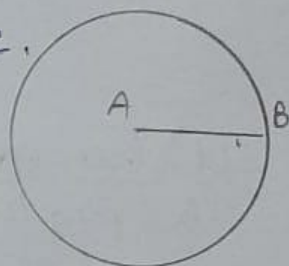
(ii) Perpendicular Lines :- Perpendicular lines are lines that intersect at a right (90°) angle. ②



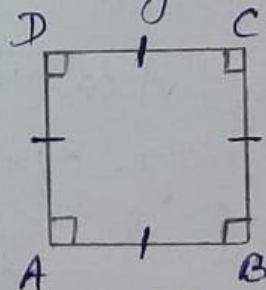
(iii) Line Segment :- A part of a line is called line segment.



(iv) Radius of Circle :- The line segment with one end point at the centre and other at any point on the circle.



v). Square :- A quadrilateral with all sides equal and all angles right (90°) angles is a square.



Question 03 :-

Answer :- Yes, these postulates contain undefined terms such as 'Point and Line'. Also, these postulates are consistent because they deal with two different situations as

i) says that, given two points A and B, there is a point C lying on the line in between them whereas

ii) says that, given points A and B, you can take point C not lying on the line through A and B.

No, these postulates do not follow from Euclid's postulates.

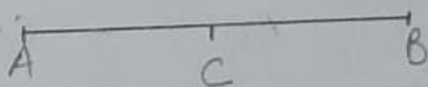
However, they follow from axiom, "Given two distinct points, there is a unique line that passes through them".



Question 04 :-

Solution :-

$$AC = BC \text{ --- (Given)}$$



$$\therefore AC + AC = BC + AC$$

[if equals added to equals then wholes are equal]

$$\text{or } 2AC = AB \quad [\because BC + AC = AB]$$

$$\text{or } AC = \frac{1}{2} AB$$

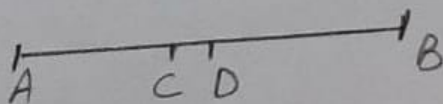


Question 05 :-

Solution :- Let the given line AB is having two mid points 'C' and 'D'. Then from

above theorem,

$$AC = \frac{1}{2} AB \text{ --- (1)}$$



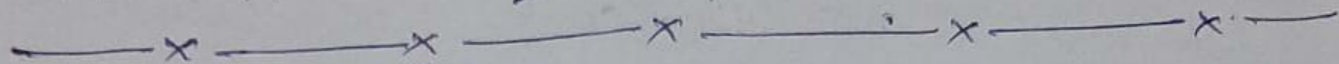
and $AD = \frac{1}{2} AB \text{ --- (2)}$

From ① & ②, we get

④

$$AC = AD$$

But this is possible only if 'D' coincides with 'C'.
 $\therefore$ C is a unique mid point.



Question 06 Imp.

Solution :-

Given :- $AC = BD$

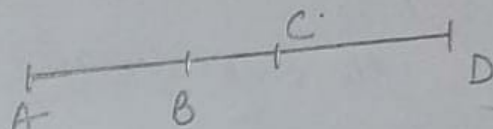
To prove :- $AB = CD$

Prove :- $AC = BD$ — given

Subtracting 'BC' on both sides, we get

$$AC - BC = BD - BC$$

$$AB = CD \quad \text{Proved.}$$



Question 07.

Answer :- Axiom 5 :- 'whole is always greater than parts'

This is Universal truth because part is included in the whole and therefore can never be greater than whole.

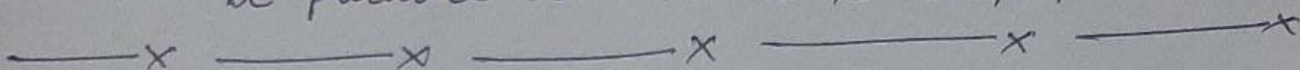


Exercise - 5.2

5

Question 1 : —

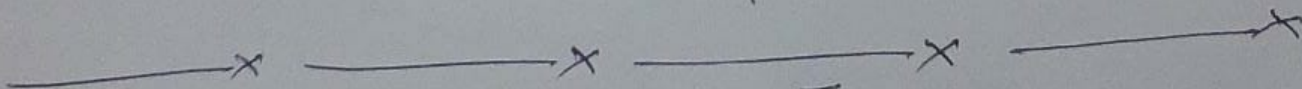
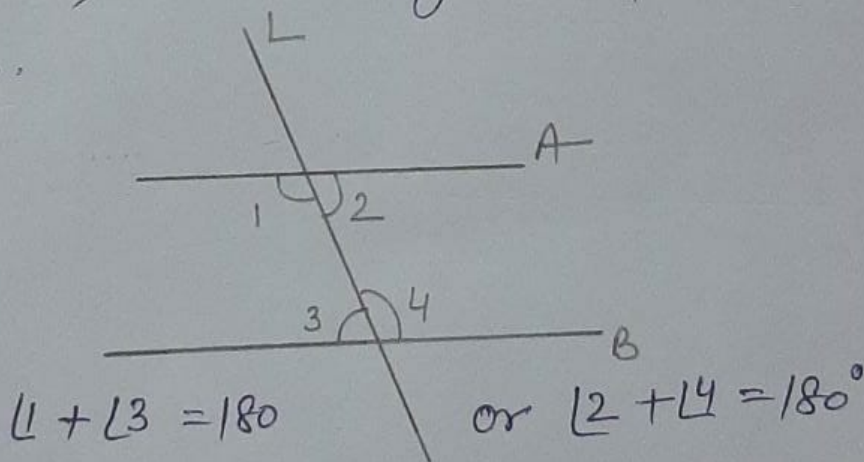
Answer : — Two distinct intersecting lines cannot be parallel to the same line.



Question 2 : —

Answer : — Yes, Euclid's fifth postulate does imply the existence of parallel lines.

If the sum of the interior angles are equal to 180° , then two lines will not meet each other at any point, hence making them parallel to each other.



From : —

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